



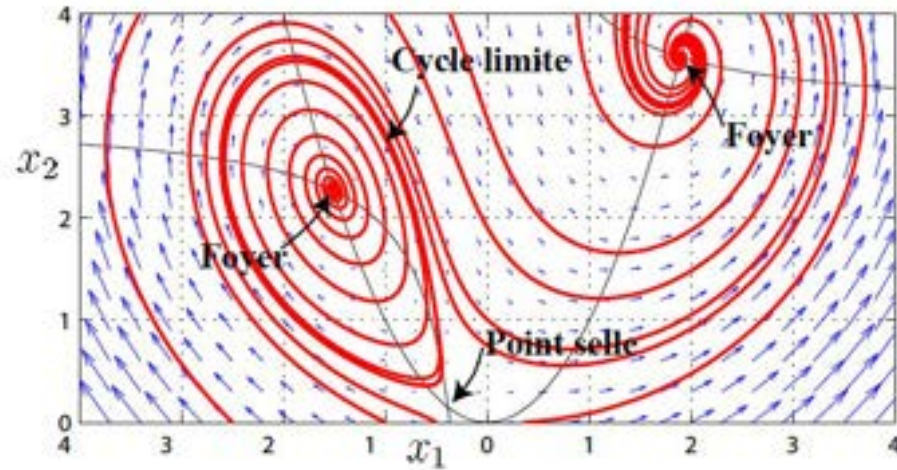
Nature 629, 778–783 (2024)
arXiv:2307.06617



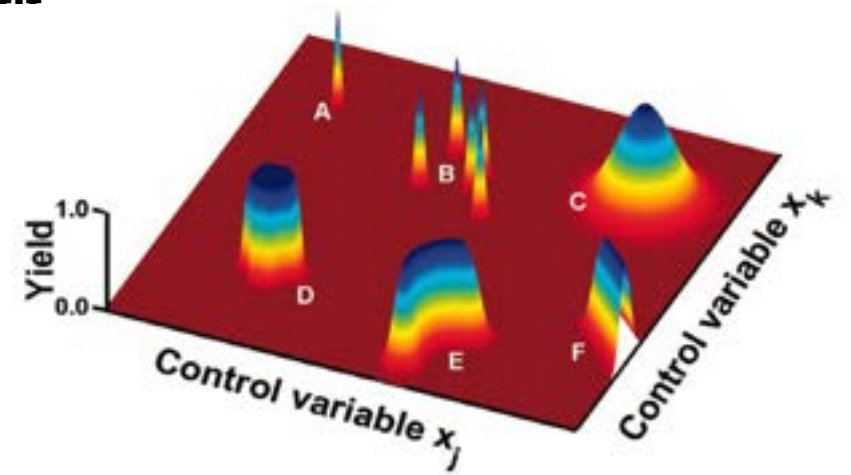
Ulysse Réglade, Adrien Bocquet, Ronan Gautier, Antoine Marquet, Emanuele Albertinale, Natalia Pankratova, Mattis Hallén, Felix Rautschke, Lev-Arcady Sellem, Pierre Rouchon, Alain Sarlette, Mazyar Mirrahimi, Philippe Campagne-Ibarcq, Raphaël Lescanne, Sebastien Jezouin, ZL

Dynamical systems & Schrödinger cat states

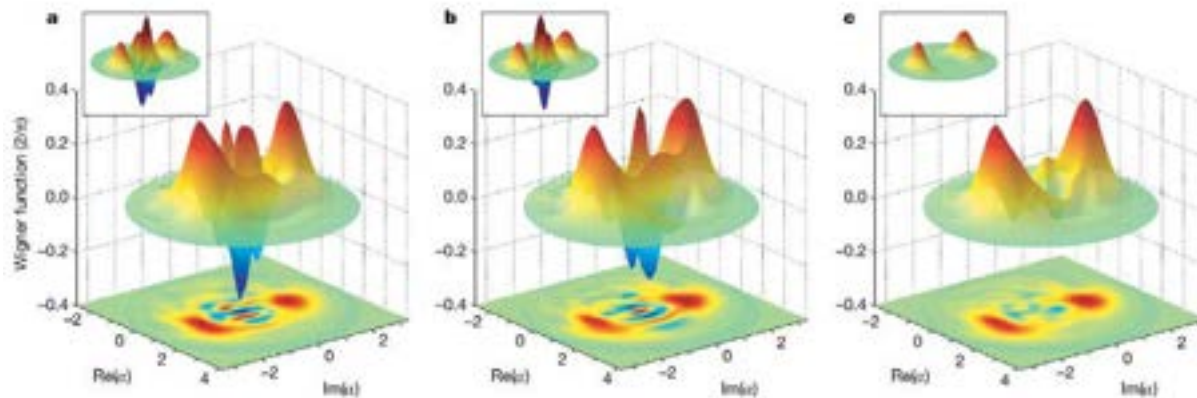
Since 2007 ...



Pierre Rouchon & Nicolas Pe
Ecole des Mines de Paris

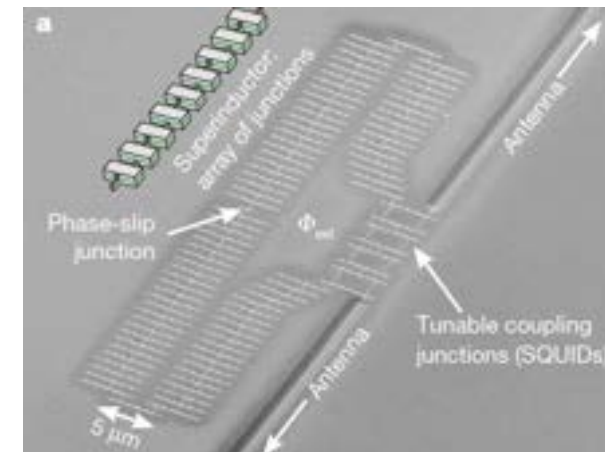


Herschel Rabitz
Princeton University



Deléglise et al. Nature (2008)

Serge Haroche
Collège de France



Michel Devoret
Collège de France
Yale University

Philippe Campagne-Ibarcq

Emmanuel Flurin



JM Coron

JM Raimond

Nicolas Petit

Gabriel Turinici



Pierre Rouchon

Mazyar Mirrahimi

Ioan Pop

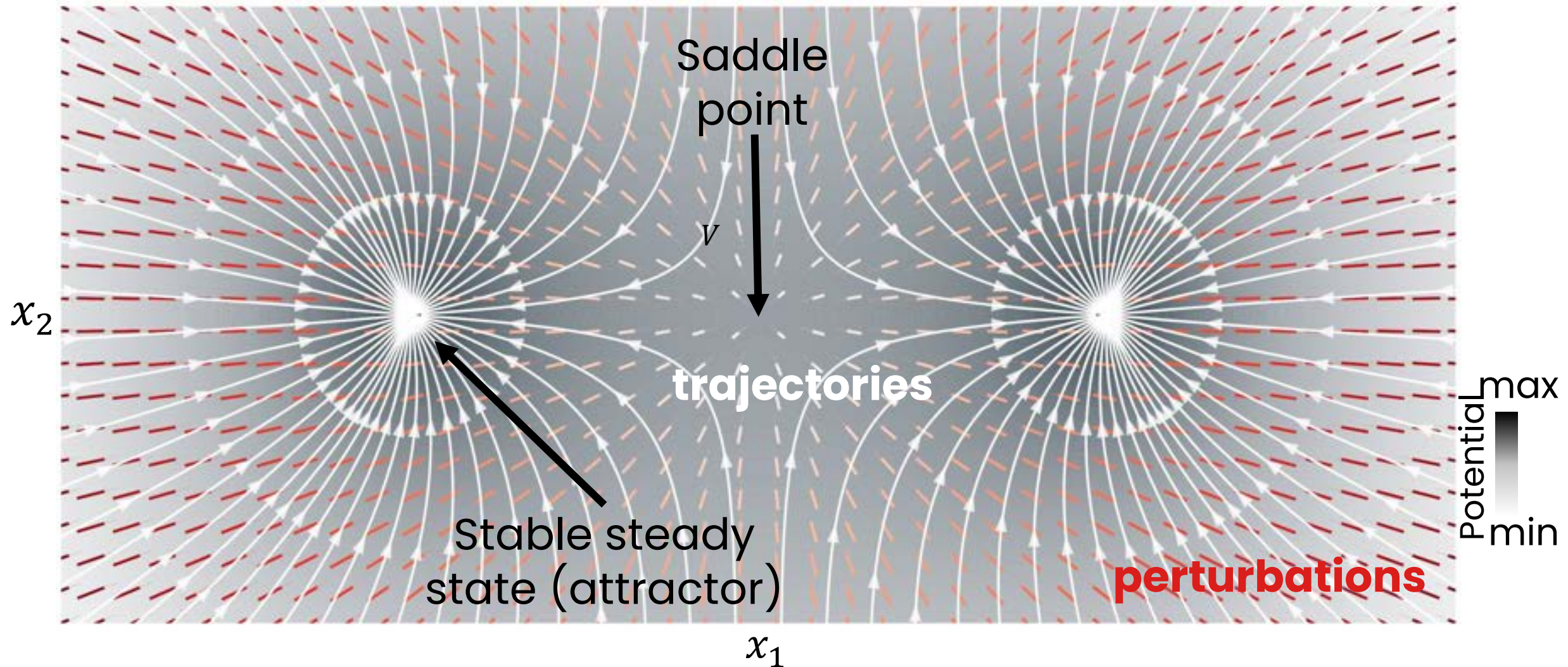
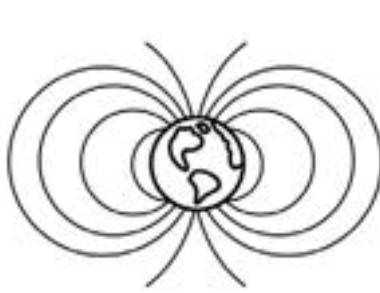


Michel Devoret



Dynamical systems

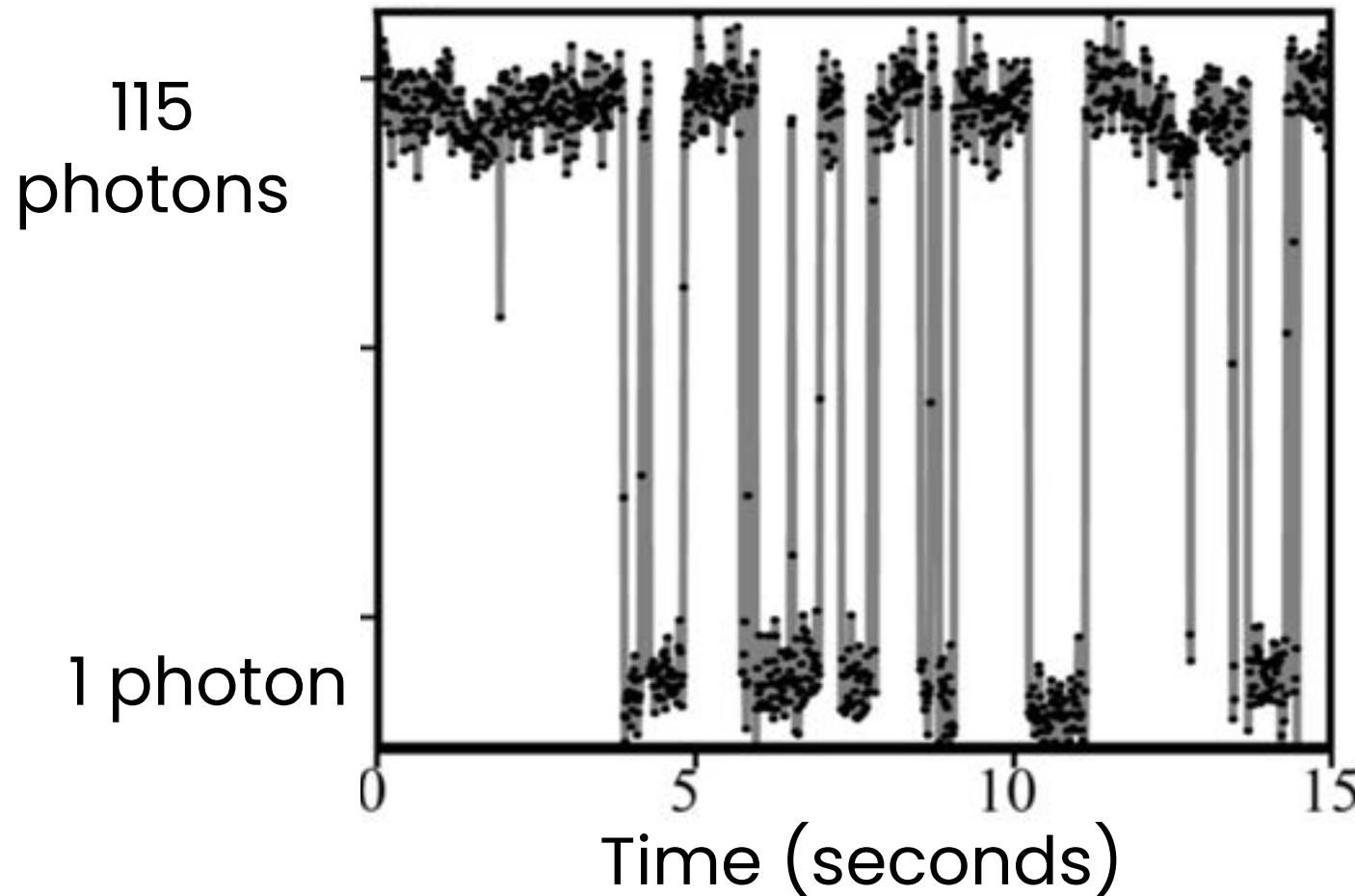
$$\frac{d}{dt}x = f(x)$$



Macroscopic switching times between few-photon dynamical states



Muppalla PRB 2018

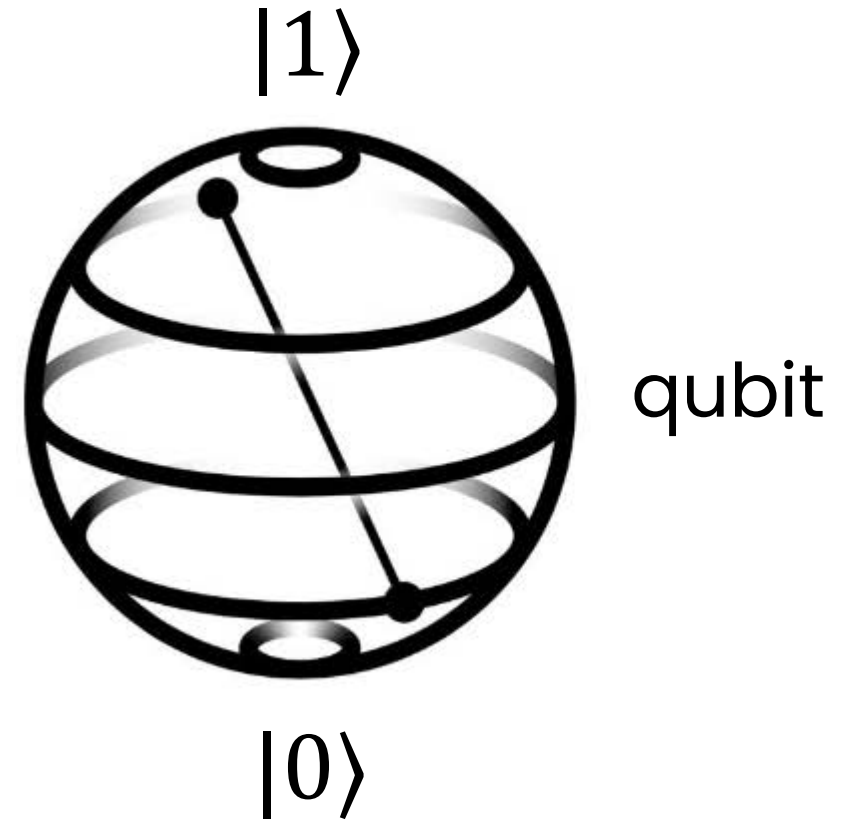


→ Ultra-low power classical logic

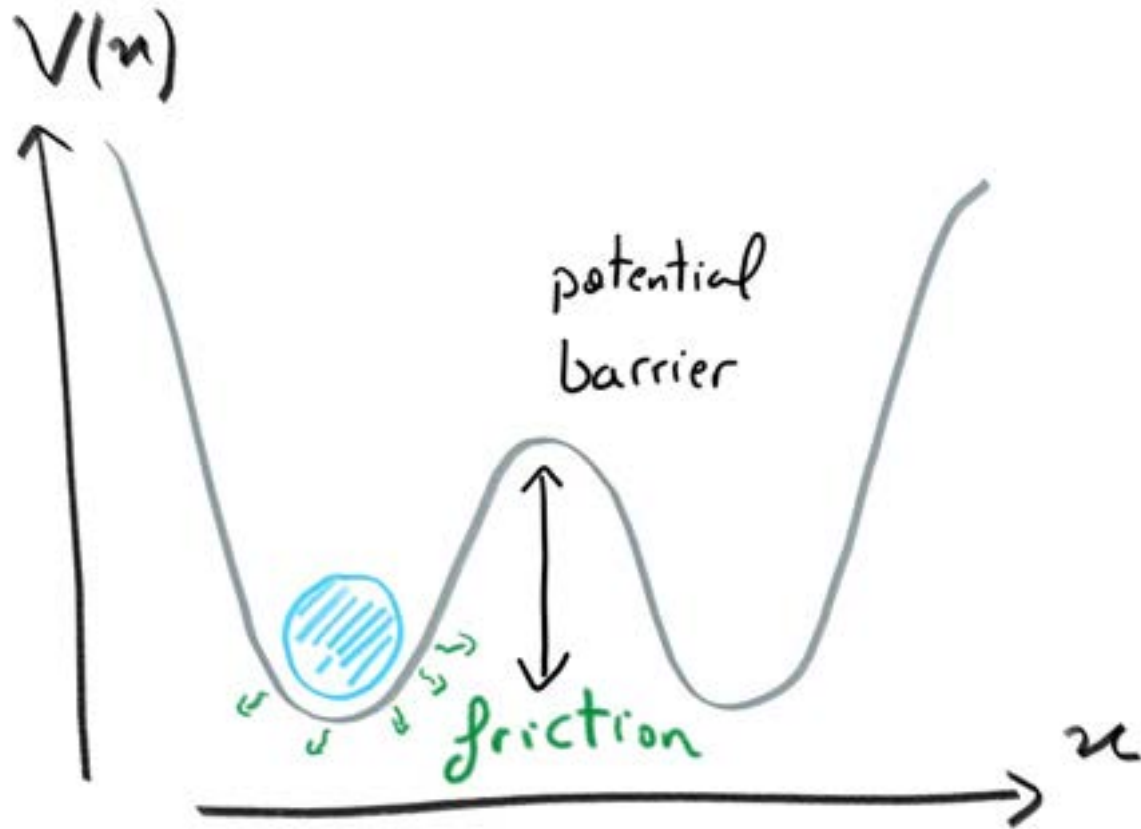
Andersen PRAppl 2015

Berdou PRXQ 2023, Krantz NatComm 2016, Siddiqi PRL 2004 ...

From dynamical bits to dynamical qubits



Is dissipation good or bad ?

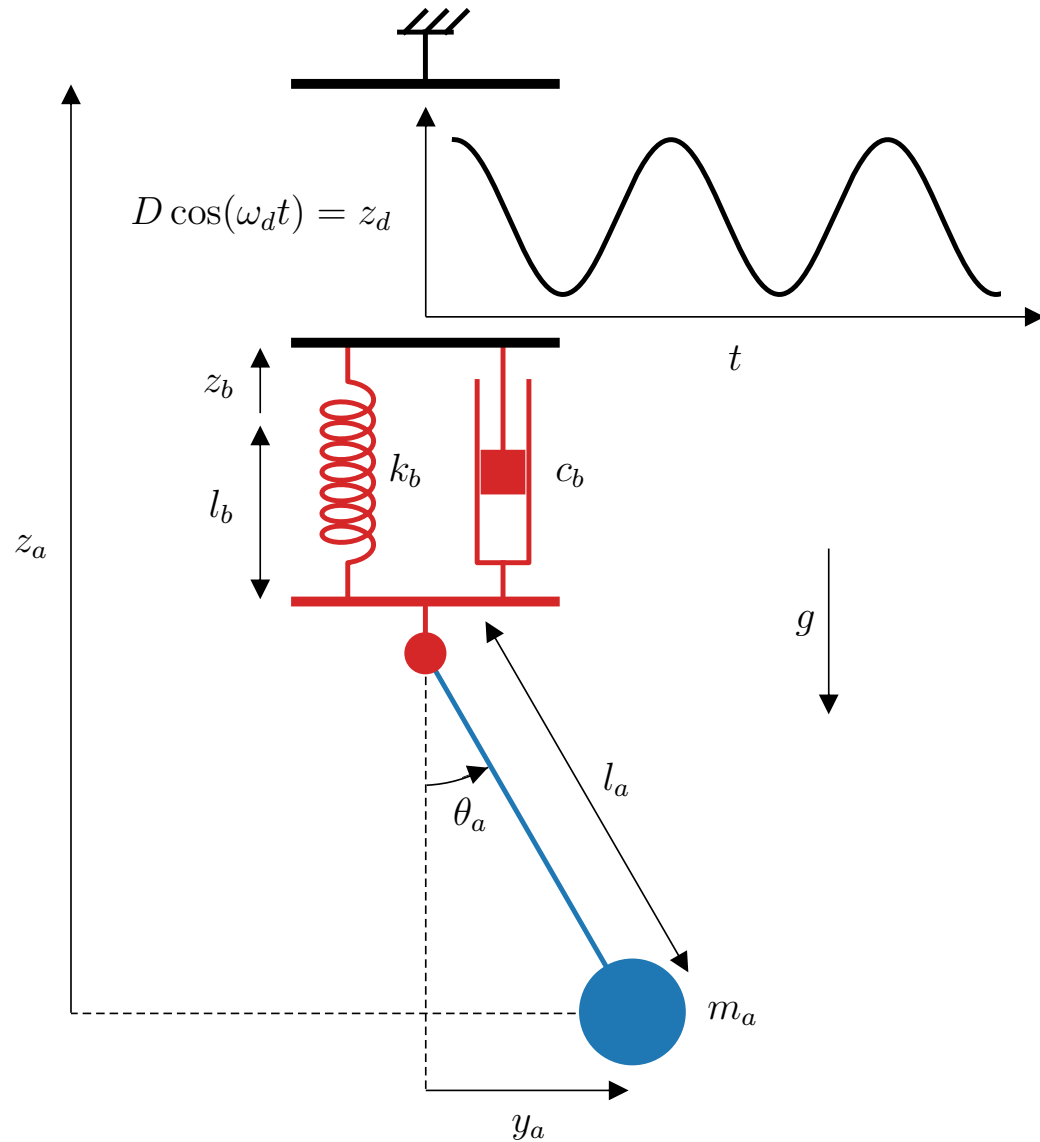


Friction (dissipation)

→ **Stability**

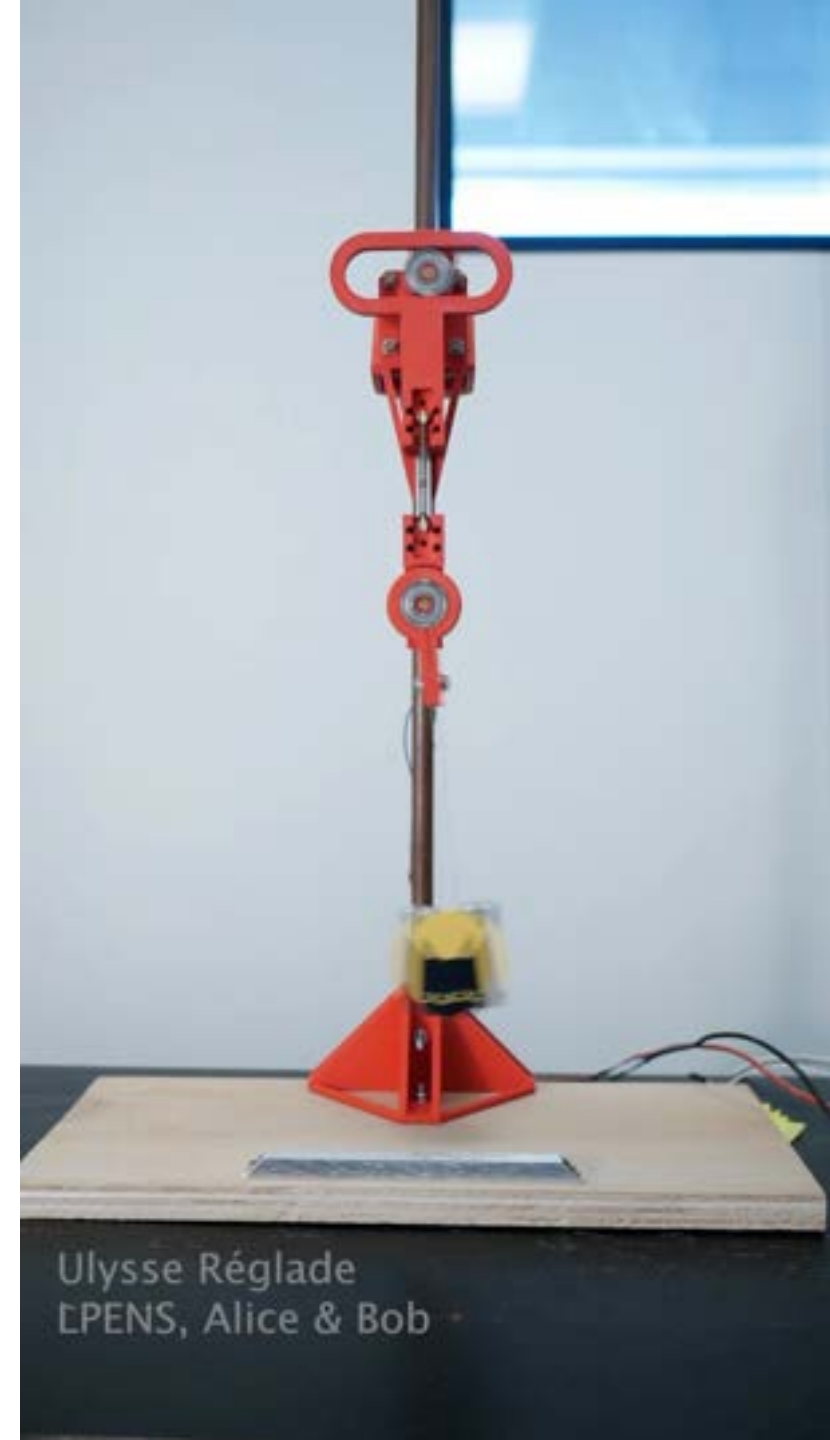
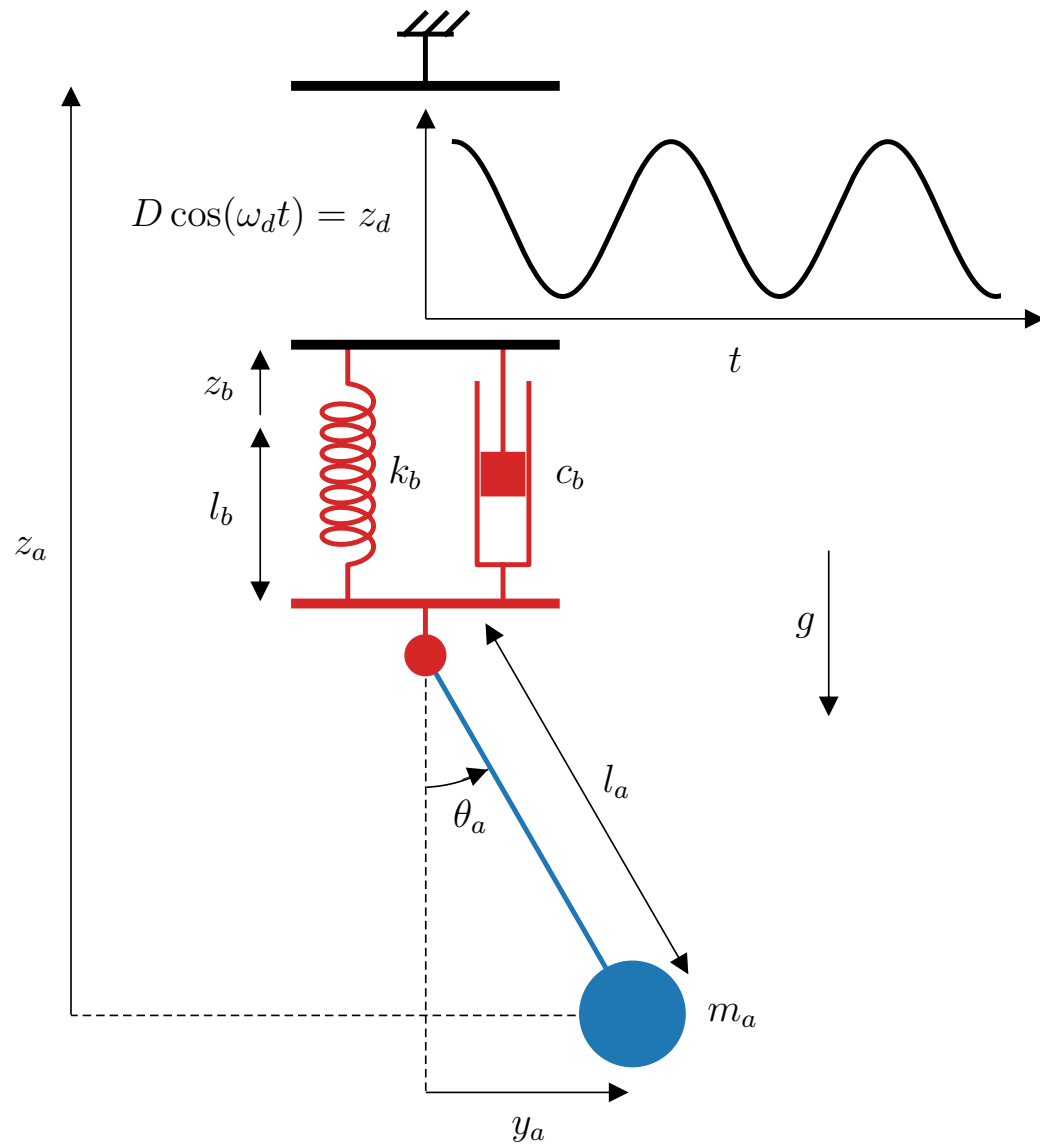
→ **Quantum decoherence**

Agnostic dissipation



Ulysse Réglade
LPENS, Alice & Bob

Agnostic dissipation



Two-photon dissipation



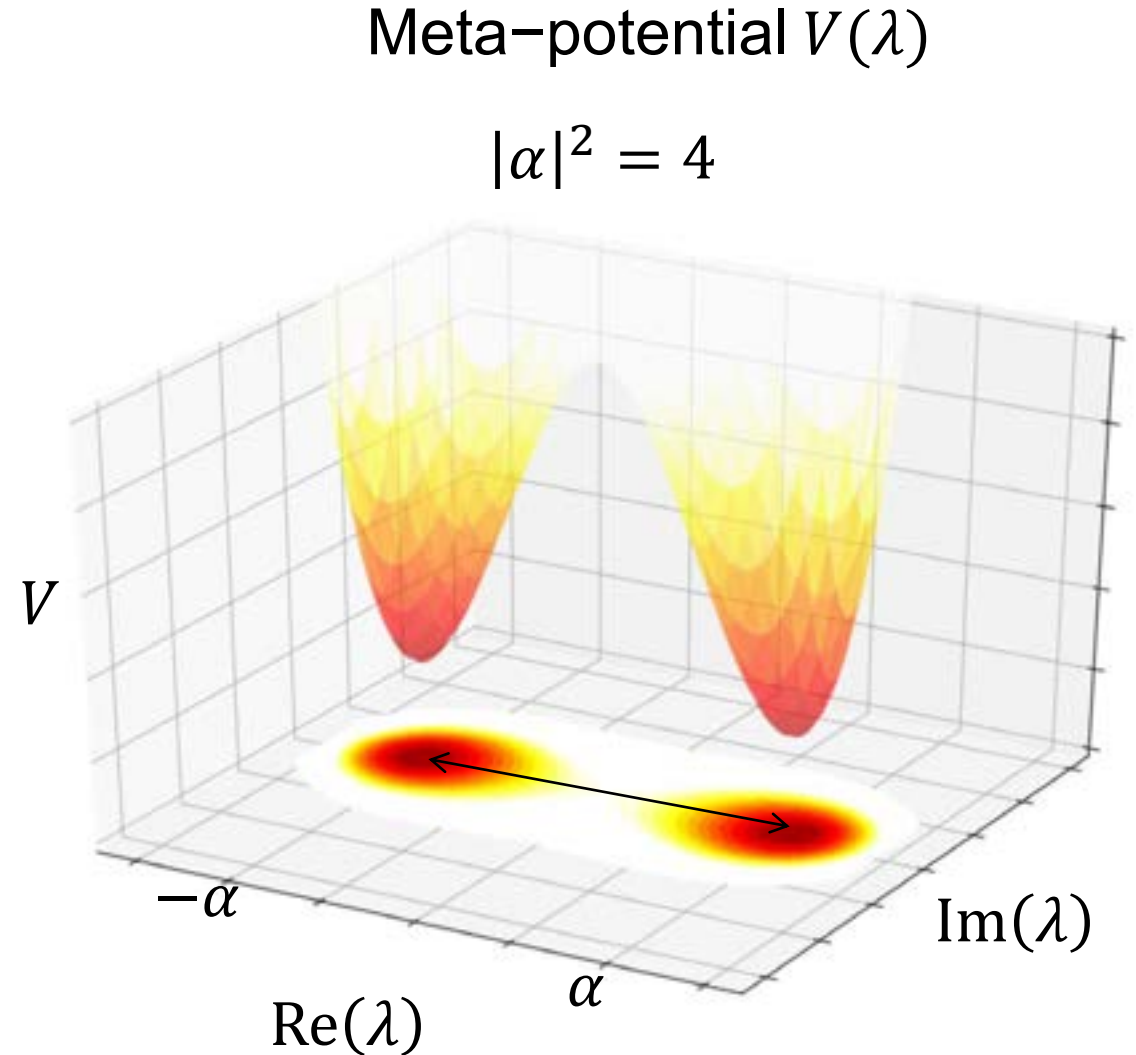
Hamiltonian $H/\hbar = i\epsilon_2 a^{\dagger 2} - i\epsilon_2^* a^2$

Loss operator $L = \sqrt{\kappa_2} a^2$

$$\alpha = \left(\frac{2\epsilon_2}{\kappa_2} \right)^{1/2}$$

Steady states in $\text{span}\{|-\alpha\rangle, |\alpha\rangle\}$

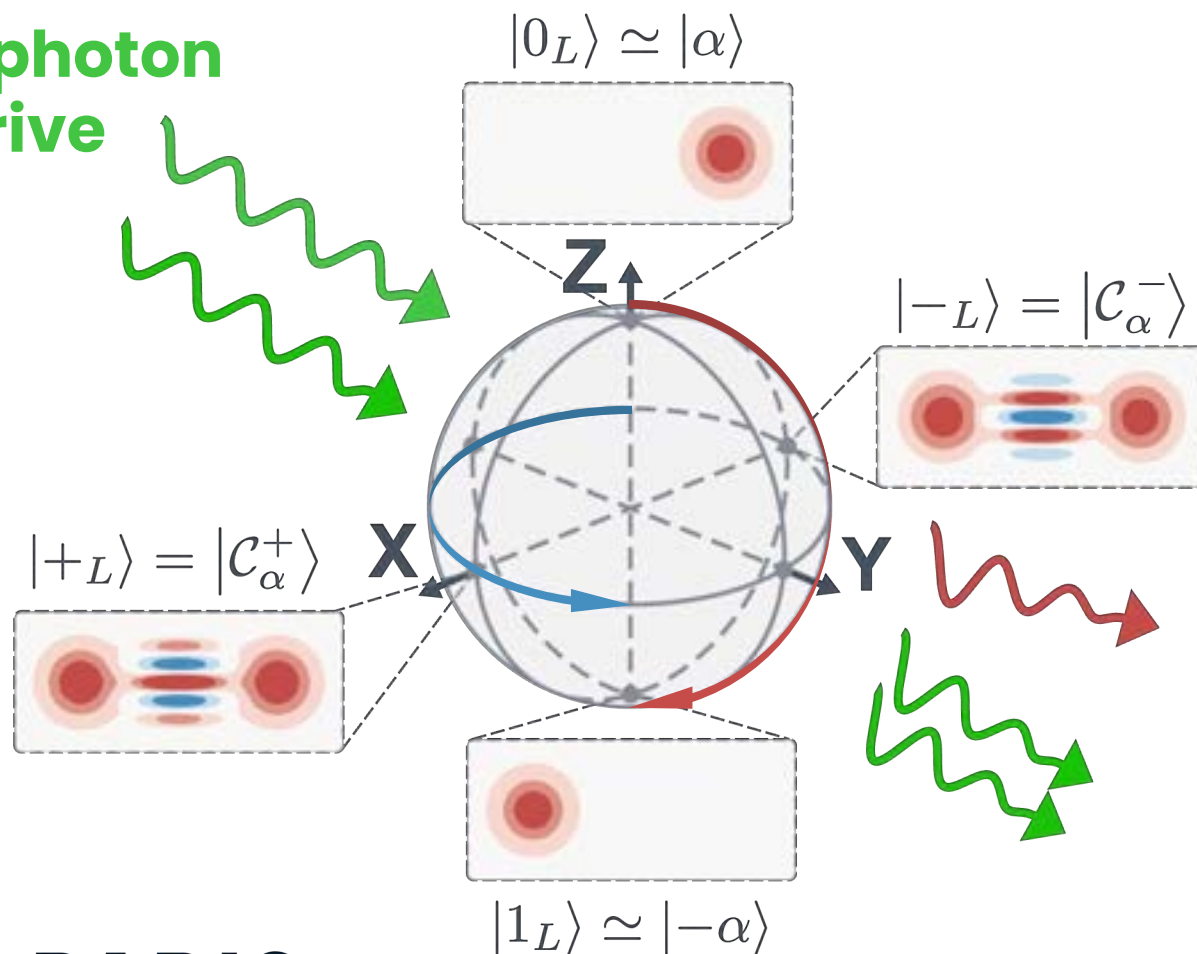
$$\frac{d\langle a \rangle}{dt} = -\nabla V(\langle a \rangle)$$



The cat-qubit

The dissipative cat-qubit

Two-photon
Drive



One-photon
Dissipation κ_1

Two-photon
Dissipation κ_2

Yale

Grimm, Nature 2020
Puri, Science Adv 2019
Touzard, PRX 2018
Leghtas, Science 2015

PARIS

Réglade Nature 2025
Lescanne Nature Phys 2020
Mirrahimi NJP 2014



LYON

Rousseau 2025

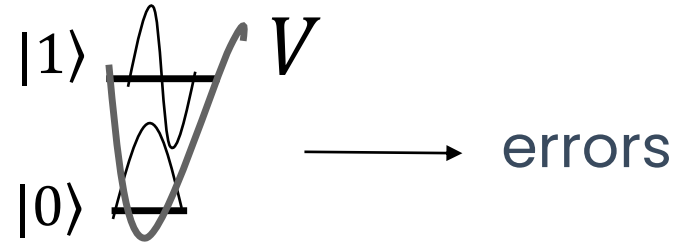
Marquet PRX 2024



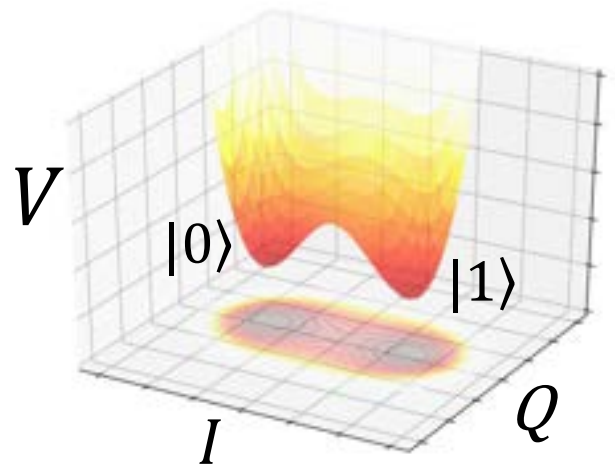
Chamberland PRXQ 2022
Putterman Nature 2025

The dissipative cat-qubit

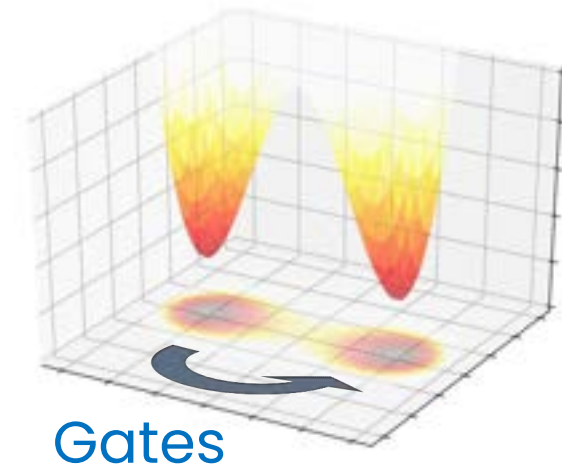
Standard qubit : local



Cat qubit : non-local



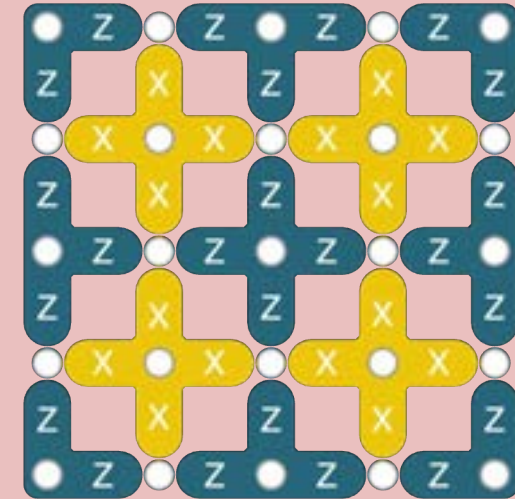
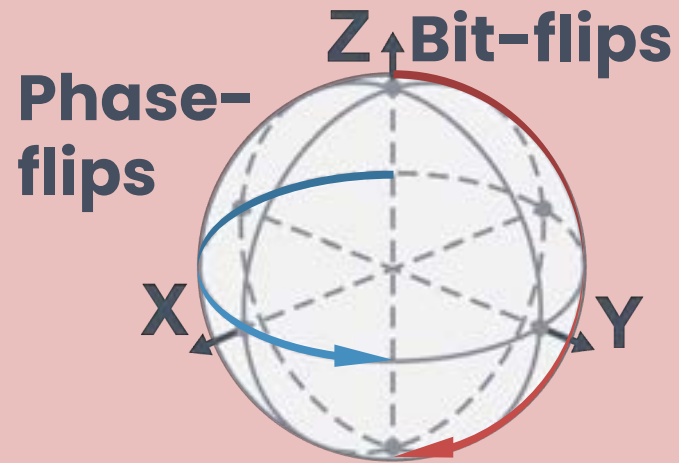
Exponential
suppression of
bit-flip errors



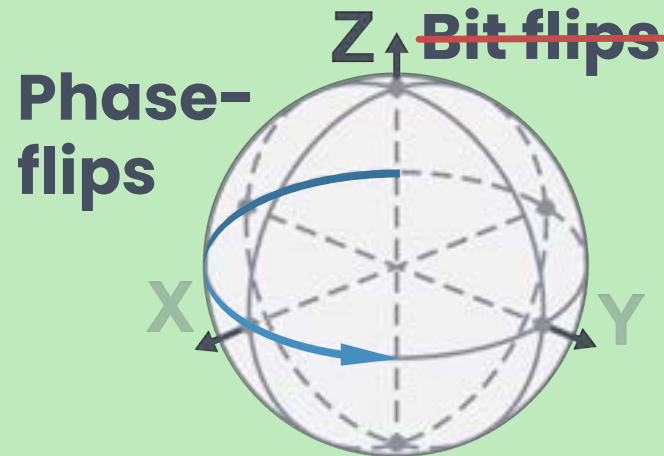
- Linear increase in phase-flip errors
- Gates : rotations in phase-space

Biased-noise qubits reduce hardware overhead

Standard qubits

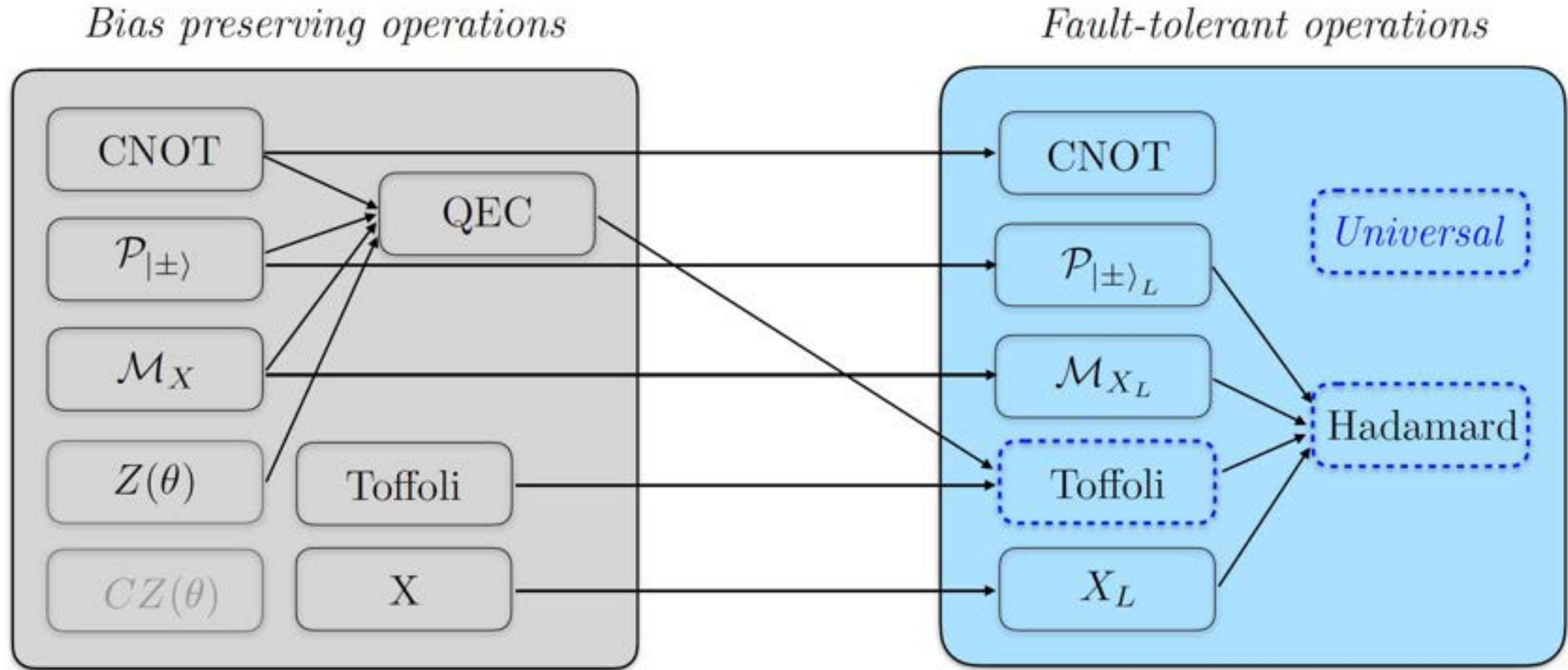


Biased-noise qubits

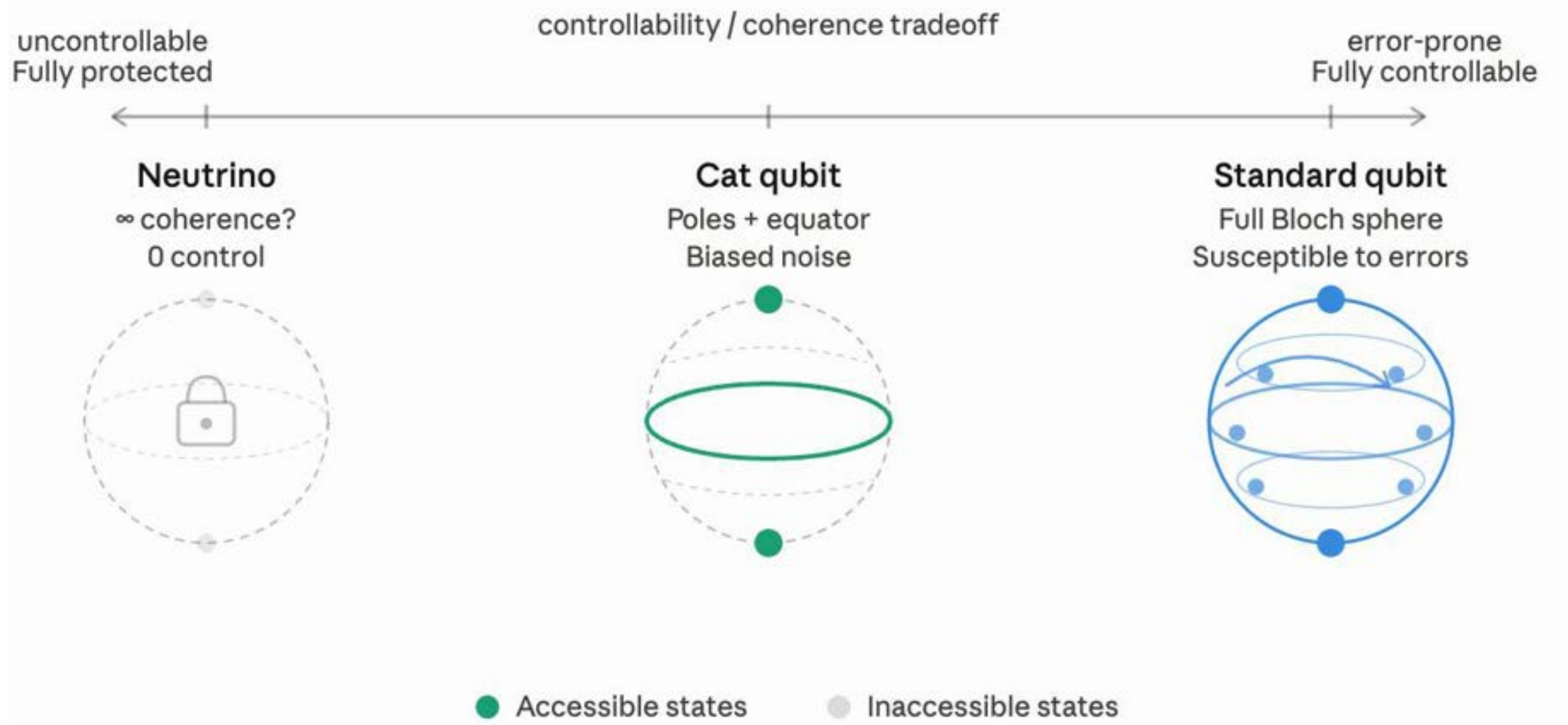


x10–100 less overhead
but requires bias
preserving operations

Universal set of fault-tolerant gates



Controllability versus coherence





We are quantum designers

We pioneer the Cat Qubit, the first qubit with built-in error correction to make quantum computers useful.

Le Monde

ÉCONOMIE · ENTREPRISES

Alice & Bob lève 100 millions d'euros pour développer son ordinateur quantique

La jeune start-up française, fondée en 2020, prévoit de sortir son premier modèle abouti d'ici à 2030.

Par Vincent Fagot

Publié le 28 janvier 2025 à 20h20, modifié le 29 janvier 2025 à 11h52 · 🕒 Lecture 1 min.

Employees

250+

Offices

4

Money raised

€130M+

PhD holders

79

Nationalities

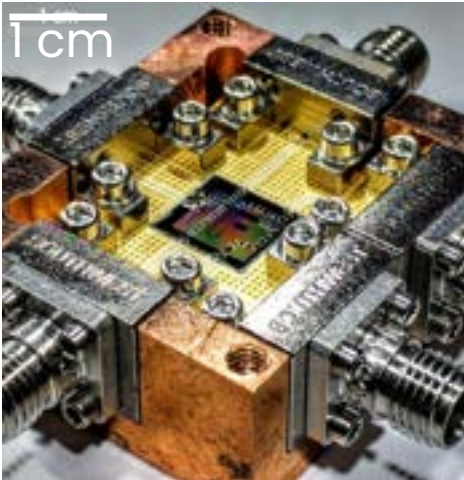
35

Gender Parity (EgaPro index)

54/100

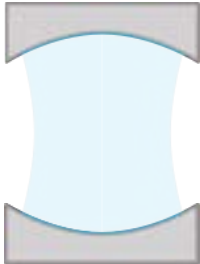
Circuit QED

Superconducting circuits

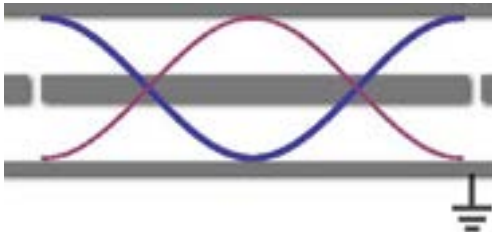


1 cm

High quality cavity



=



100 nm×100 nm

Non-linear element



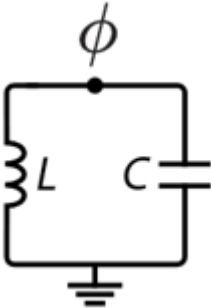
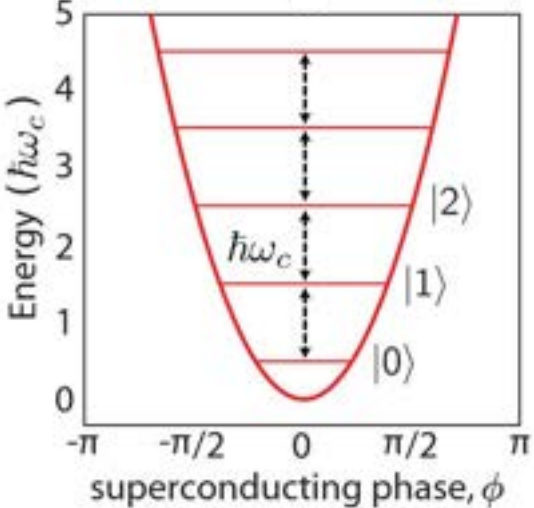
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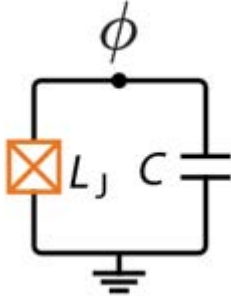
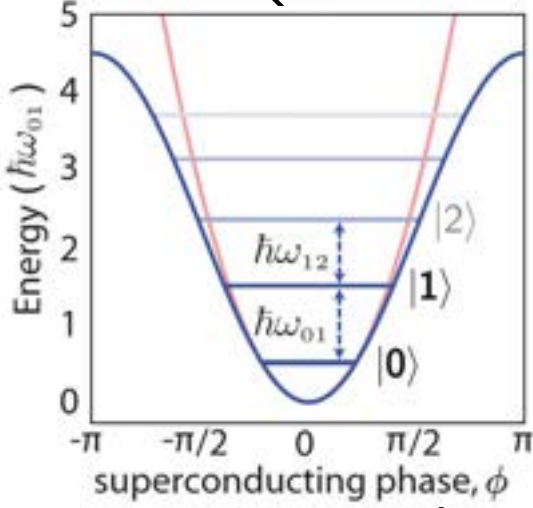
Josephson junction

$f \approx 5 \text{ GHz}, Q \approx 10^{6-8}$

Harmonic oscillator

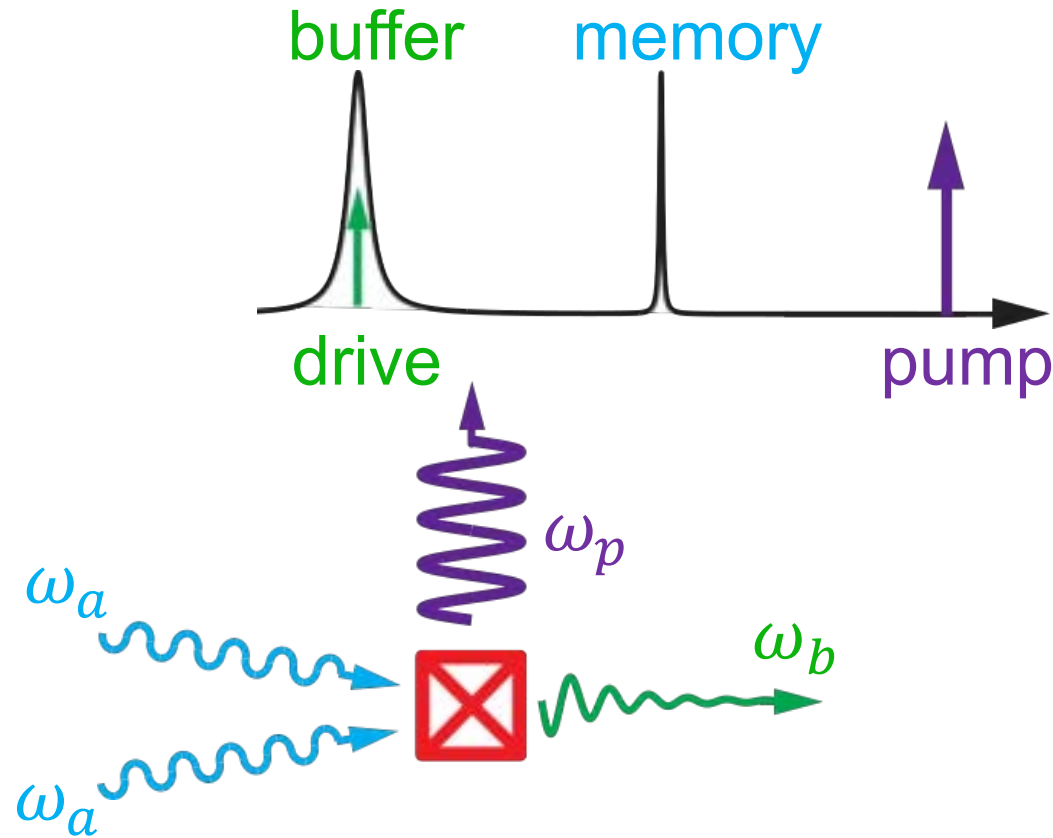
Qubit

Applied Physics Reviews 6, 021318 (2019)



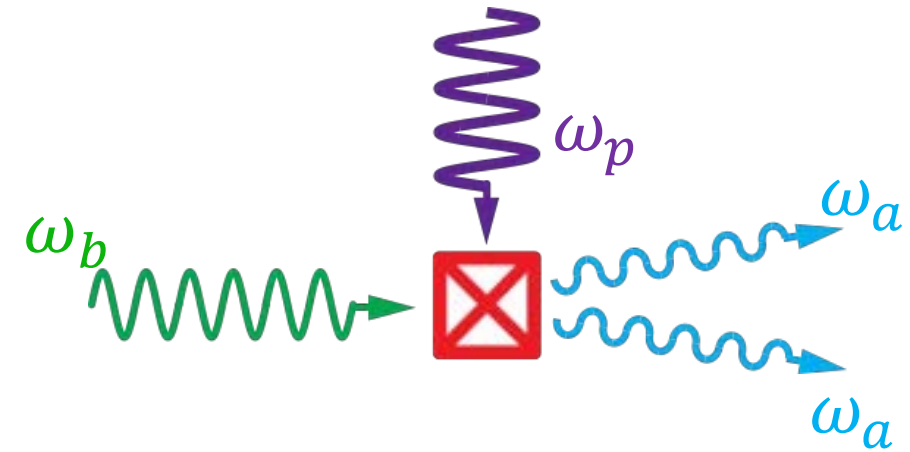
Engineering 2-photon exchanges



$$\omega_p = 2\omega_a - \omega_b$$

$$H = g_2 a^2 b^\dagger + \text{h.c}$$

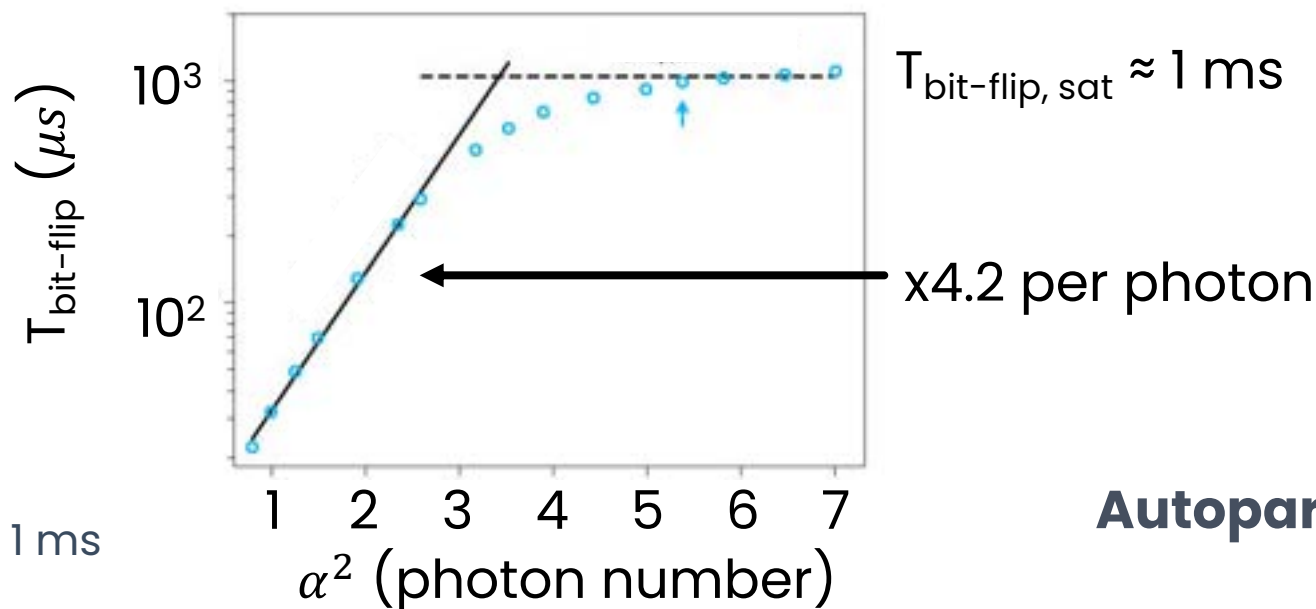
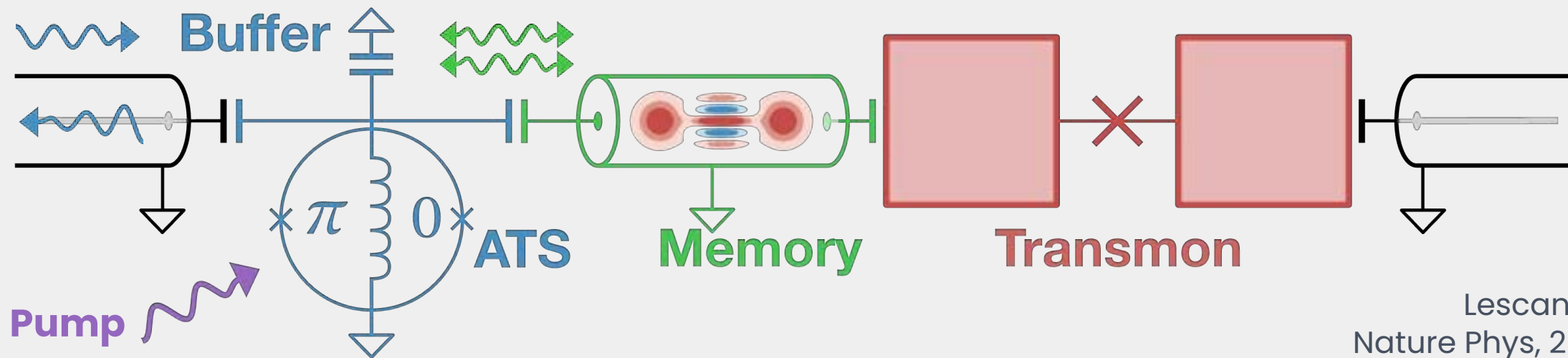
Effective loss $\sqrt{\kappa_2} a^2$



$$+ \quad \epsilon b + \text{h.c}$$

Effective drive $i\epsilon_2 a^{\dagger 2} + \text{h.c}$

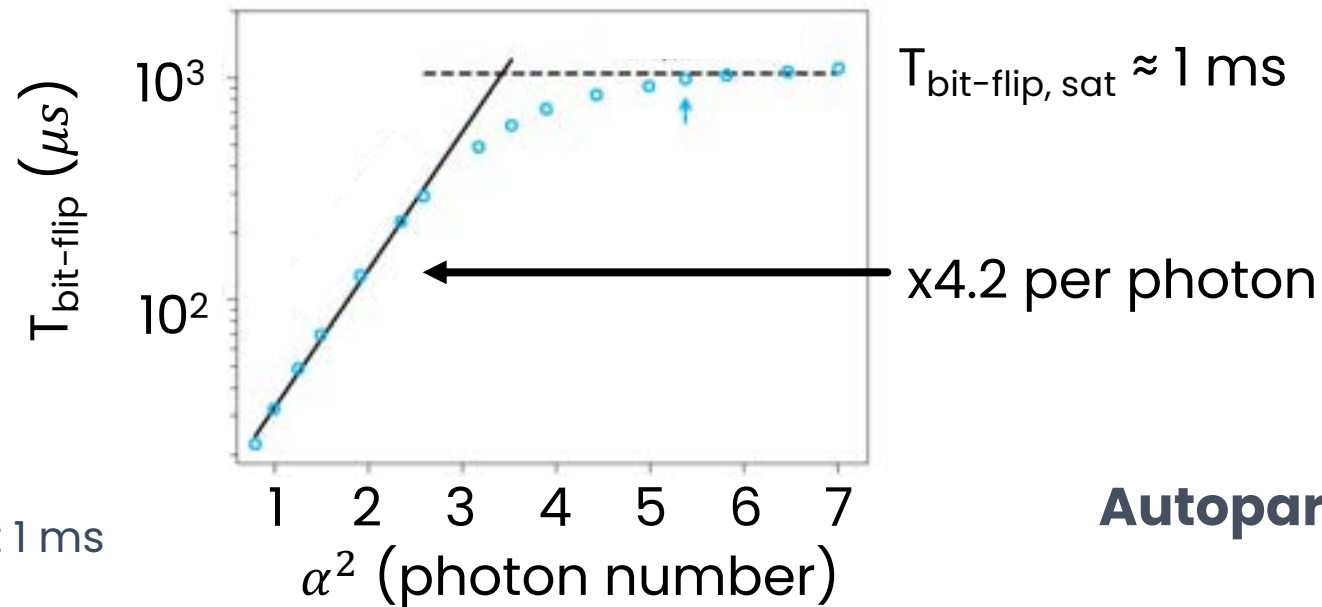
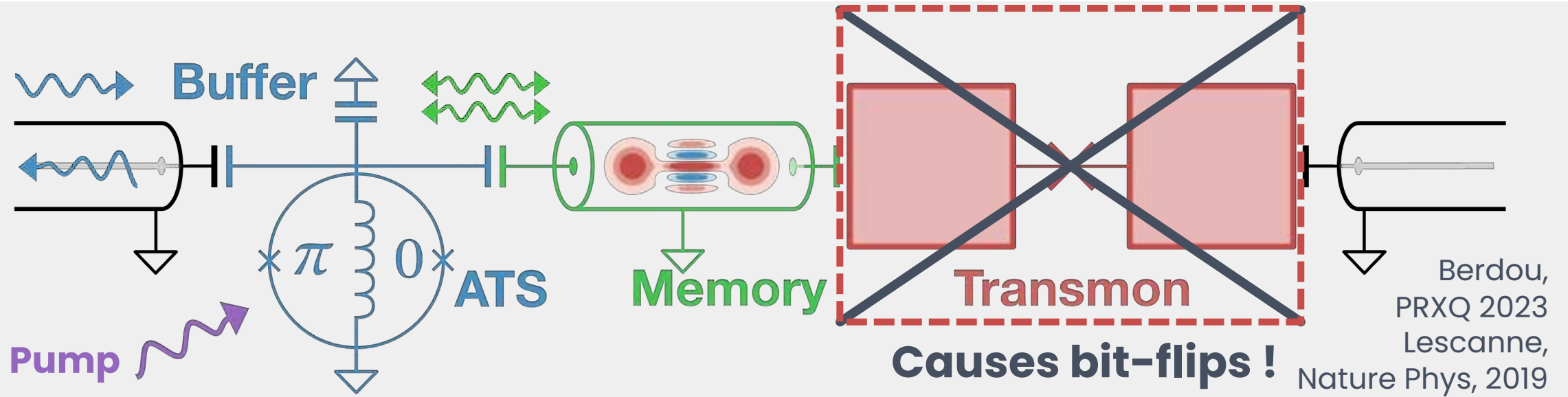
Previous experiments plateaued around 1 ms



Kerr-cats also limited to about 1 ms
 Grimm, Frattini, Nature, 2020
 Frattini, Cortiñas, 2022

**Autoparametric cats
 reached 0.3s
 Marquet, ..., Huard, 2023**

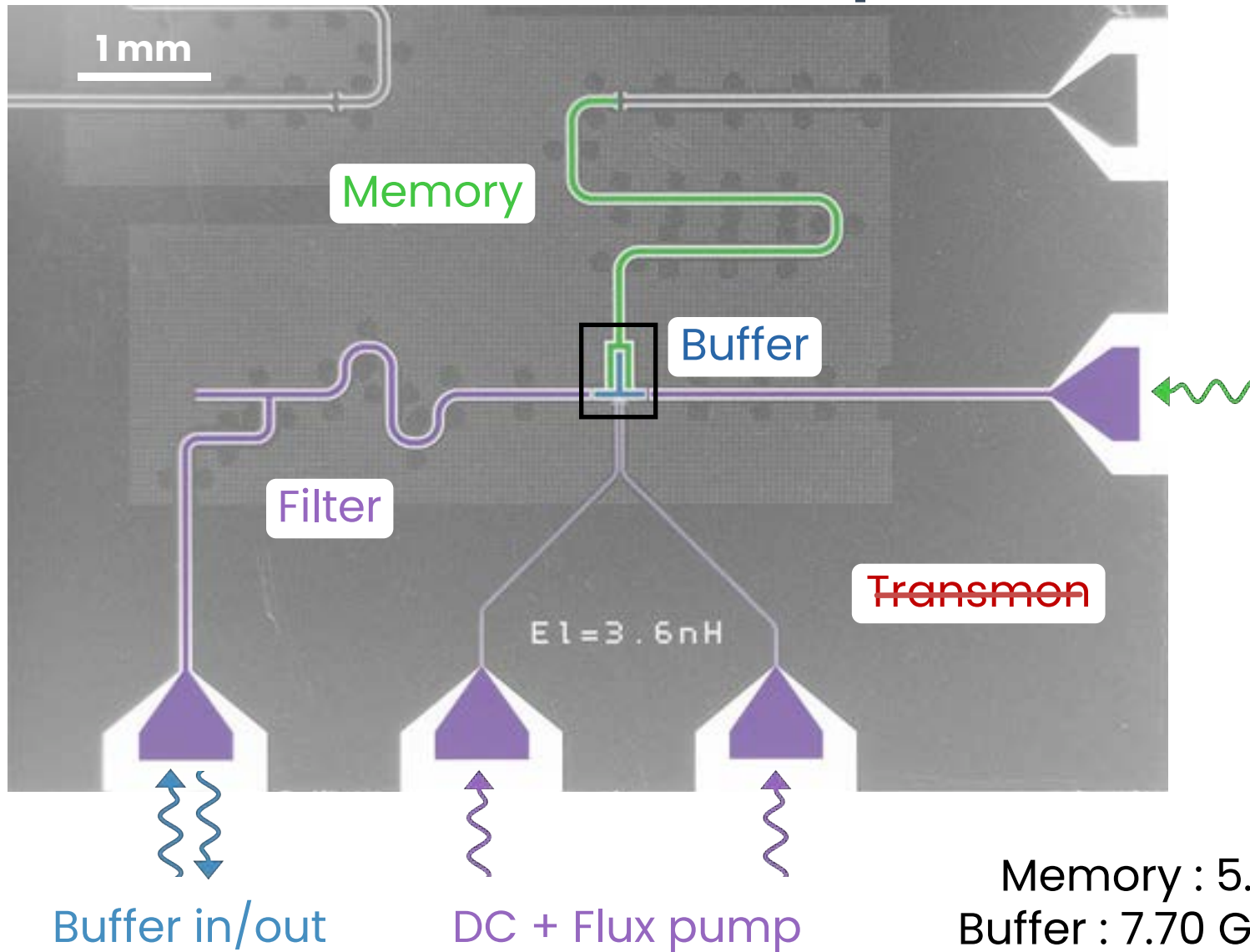
Transmon limits the bit-flip time



Kerr-cats also limited to about 1 ms
Grimm, Frattini, Nature, 2020
Frattini, Cortiñas, 2022

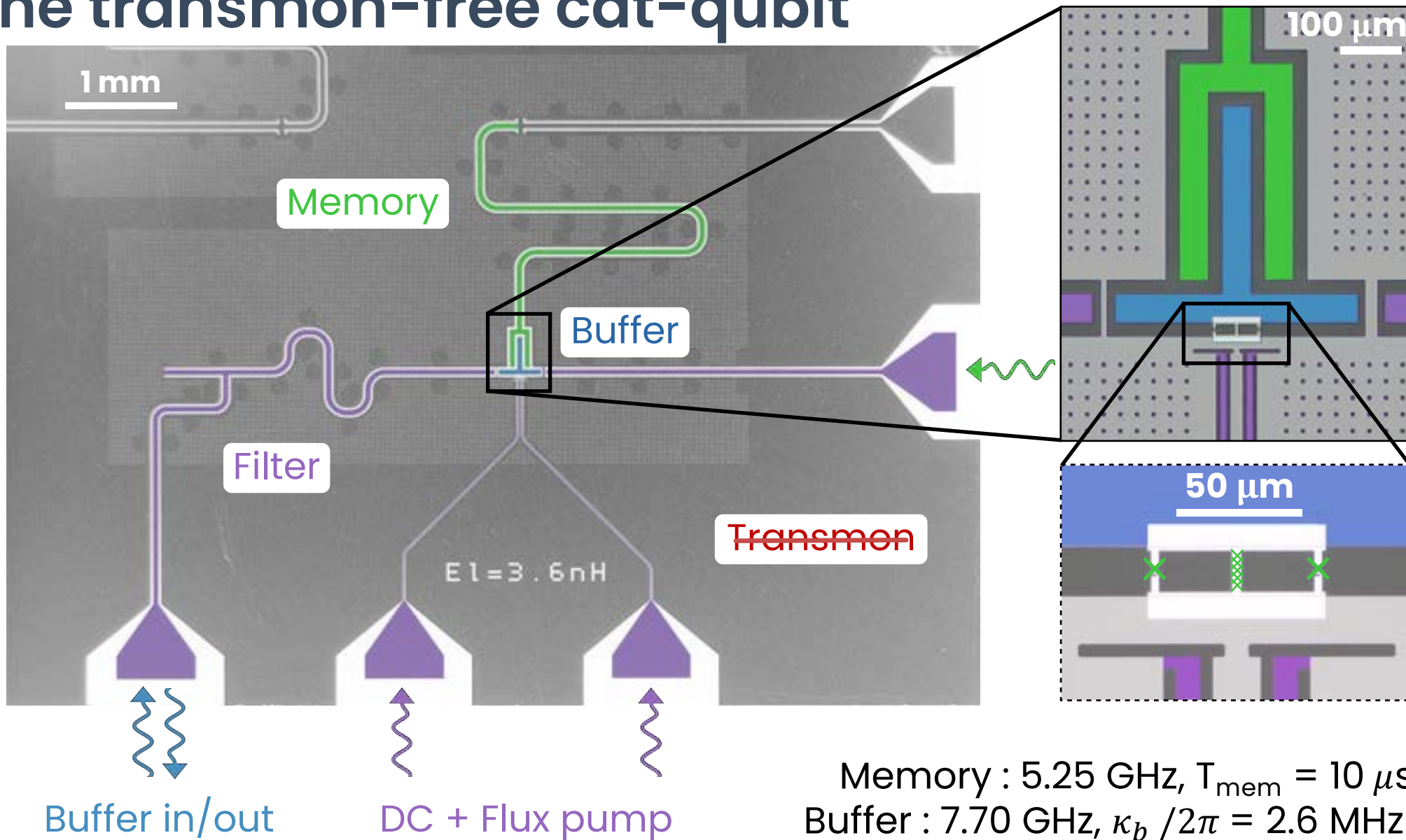
**Autoparametric cats
reached 0.3s
Marquet, ..., Huard, 2023**

The transmon-free cat-qubit

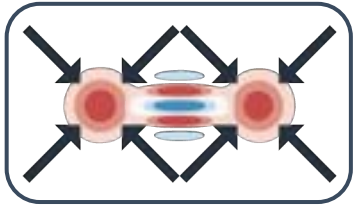


Memory : 5.25 GHz, $T_{\text{mem}} = 10 \mu\text{s}$
Buffer : 7.70 GHz, $\kappa_b / 2\pi = 2.6 \text{ MHz}$

The transmon-free cat-qubit



4 gadgets to replace the transmon



Inflate

Pump + buffer drive



Zeno gate

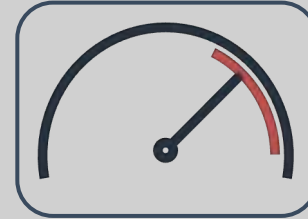
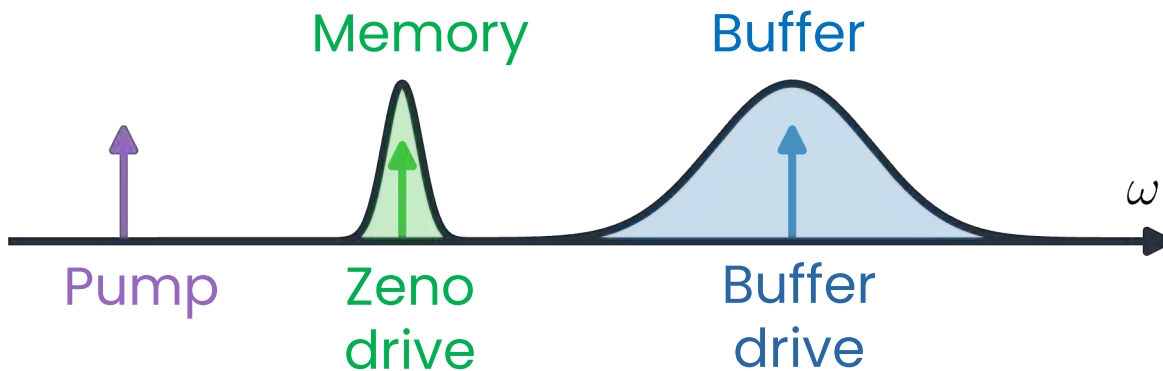
Pump + buffer & Zeno drives



Deflate

Pump

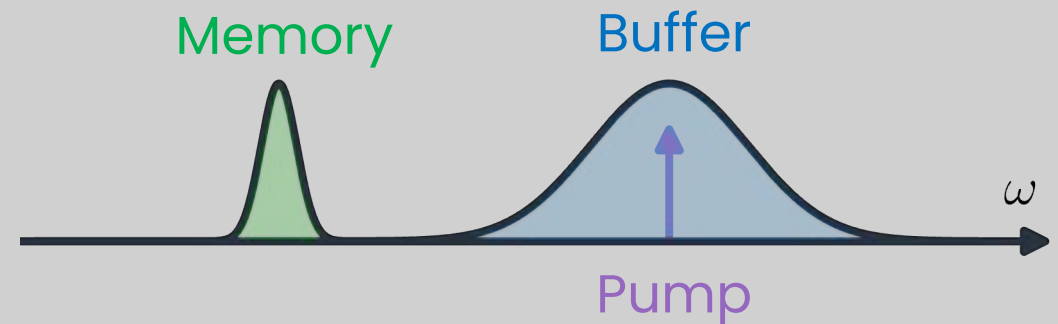
$$\omega_p = 2\omega_a - \omega_b$$

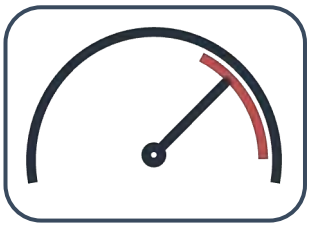


Count number of photons

$$H = g_l a^\dagger a (b + b^\dagger)$$

$$\omega_p = \omega_b$$

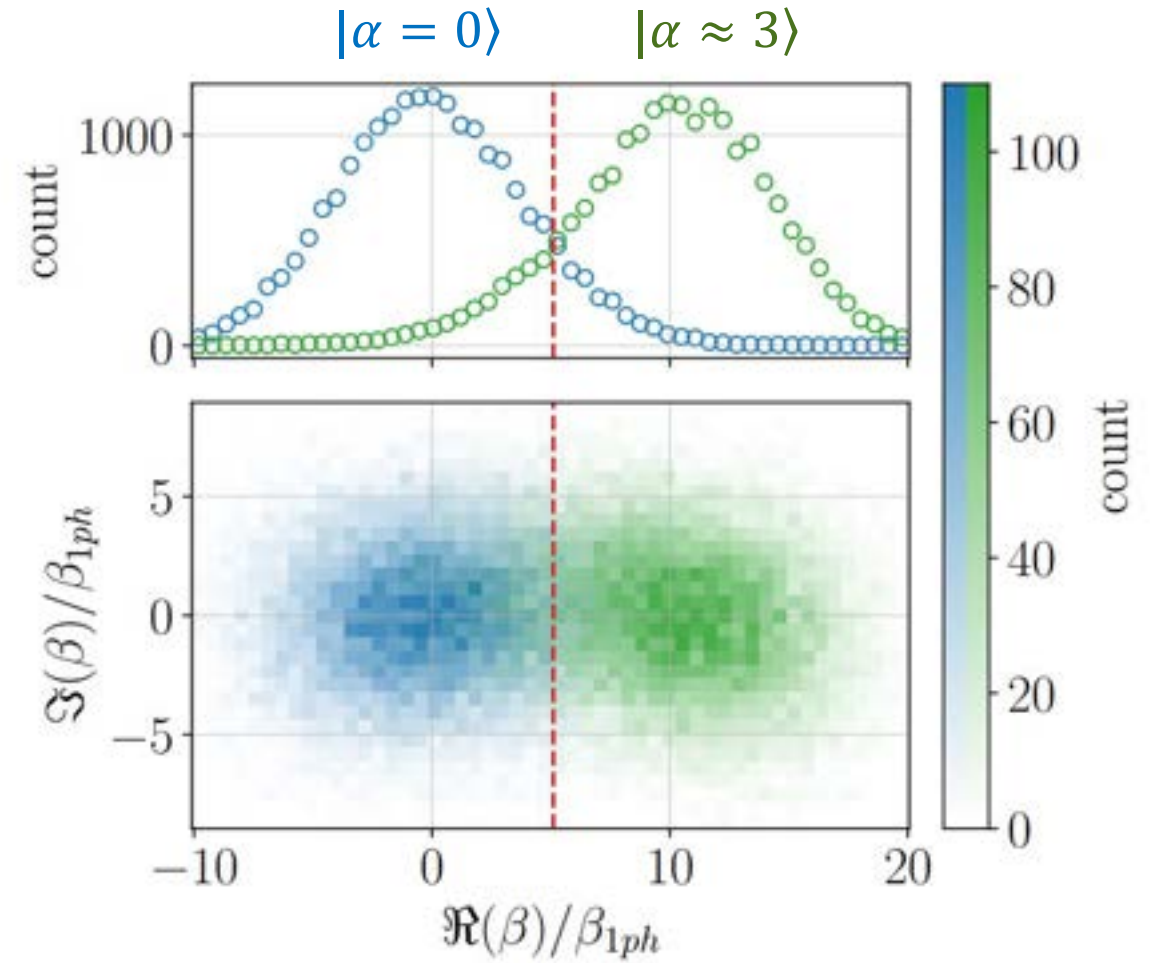
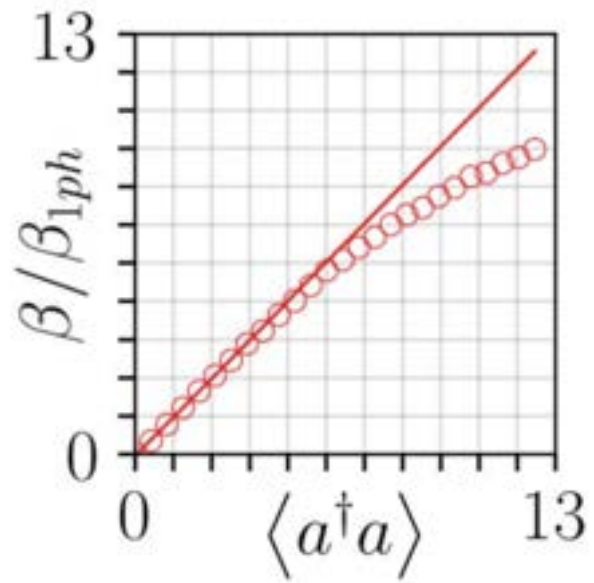




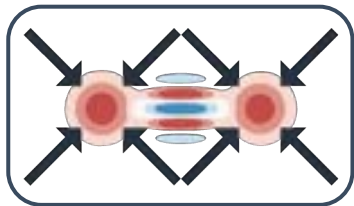
Count number of photons

$$H = g_l a^\dagger a (b + b^\dagger)$$

$$\omega_p = \omega_b$$



Inflate



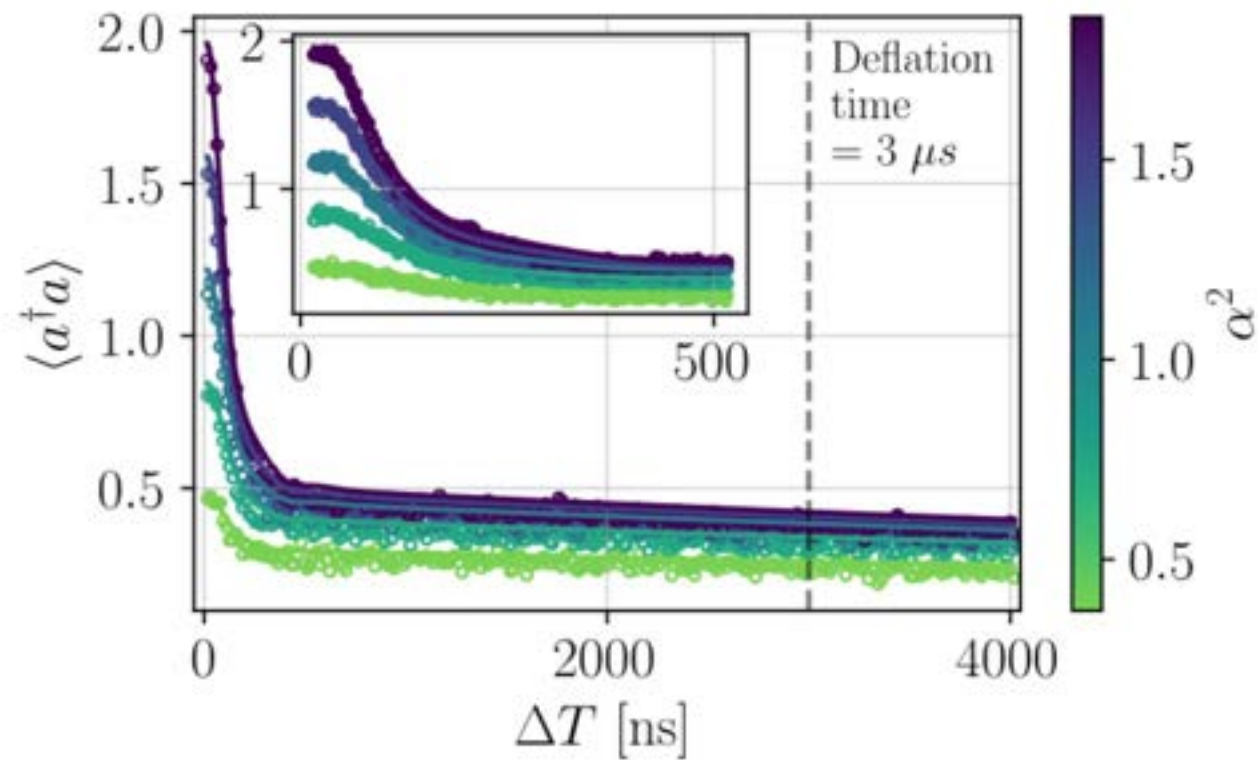
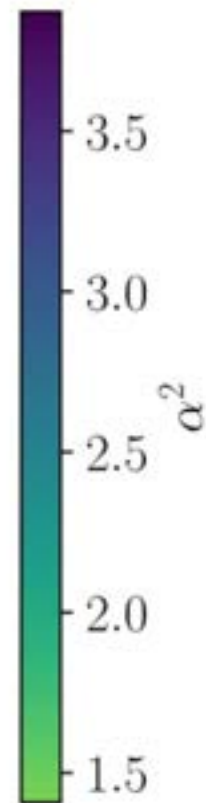
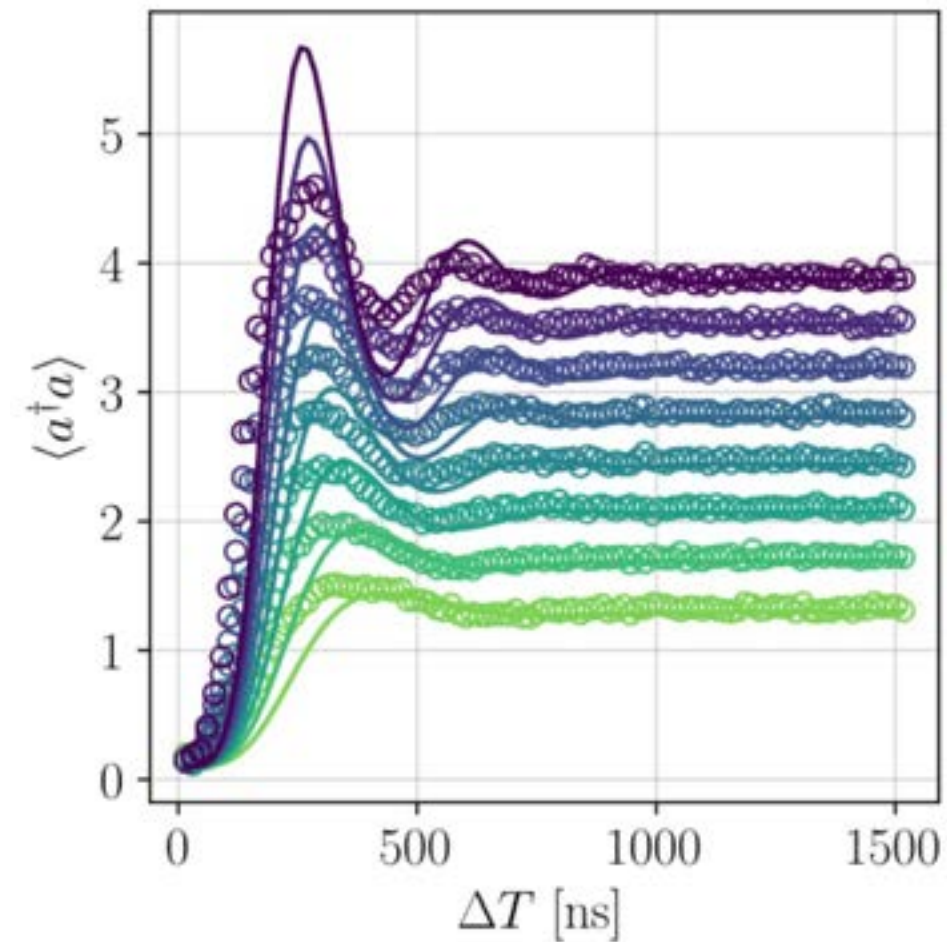
Drive ON

$$\omega_p = 2\omega_a - \omega_b$$

Deflate



Drive OFF

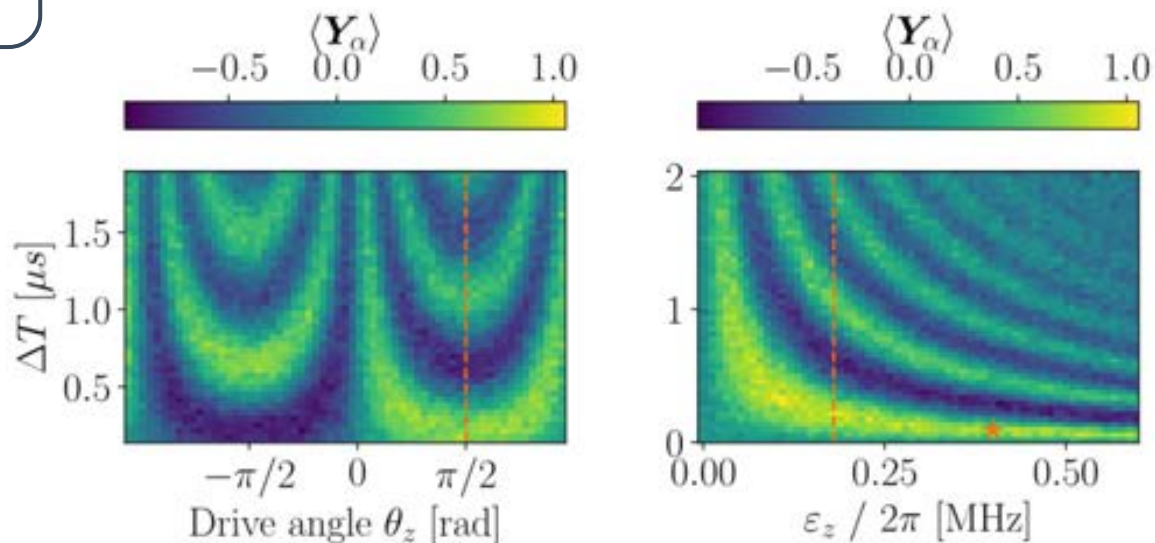




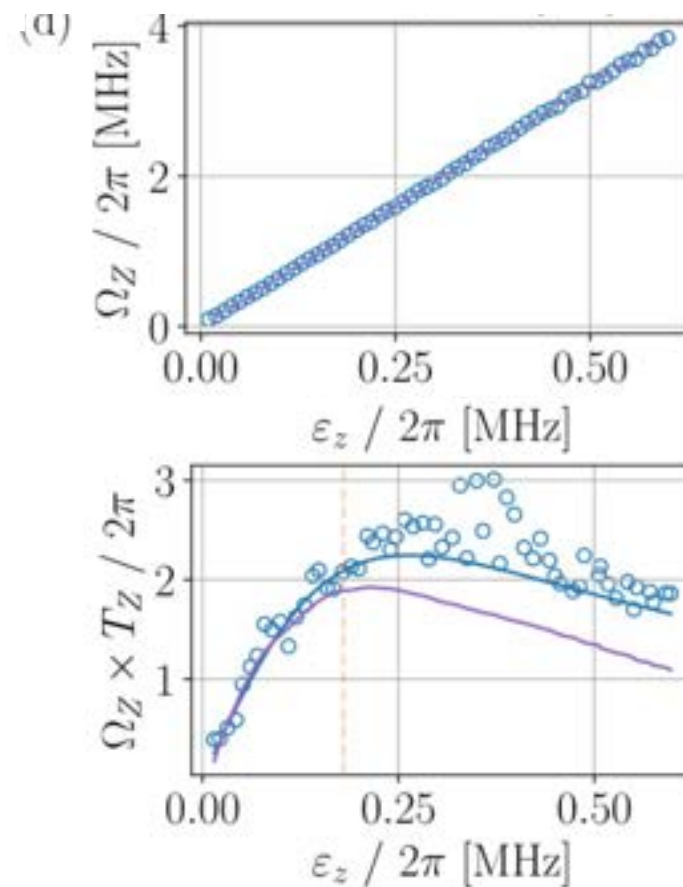
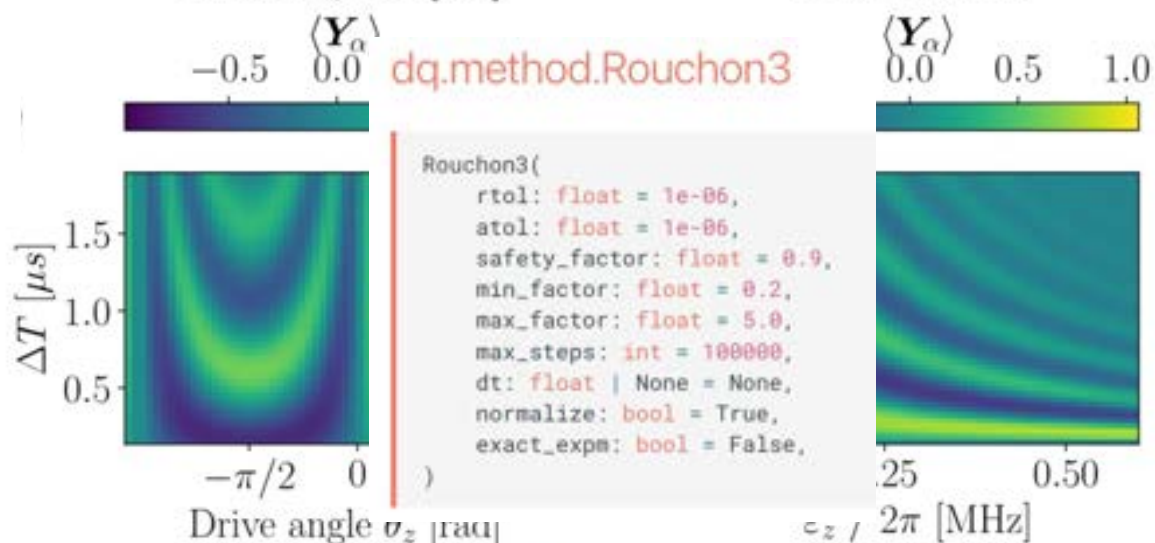
Zeno gate

$$\omega_p = 2\omega_a - \omega_b$$

Data

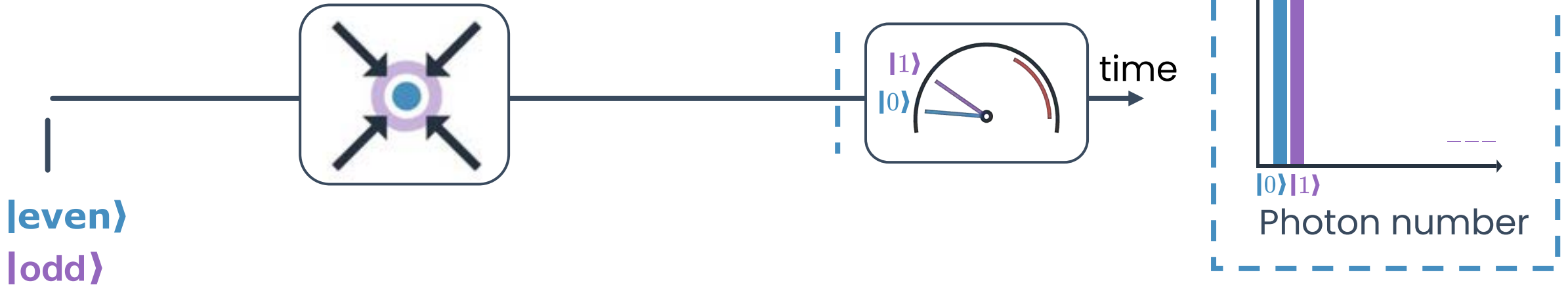


Theory



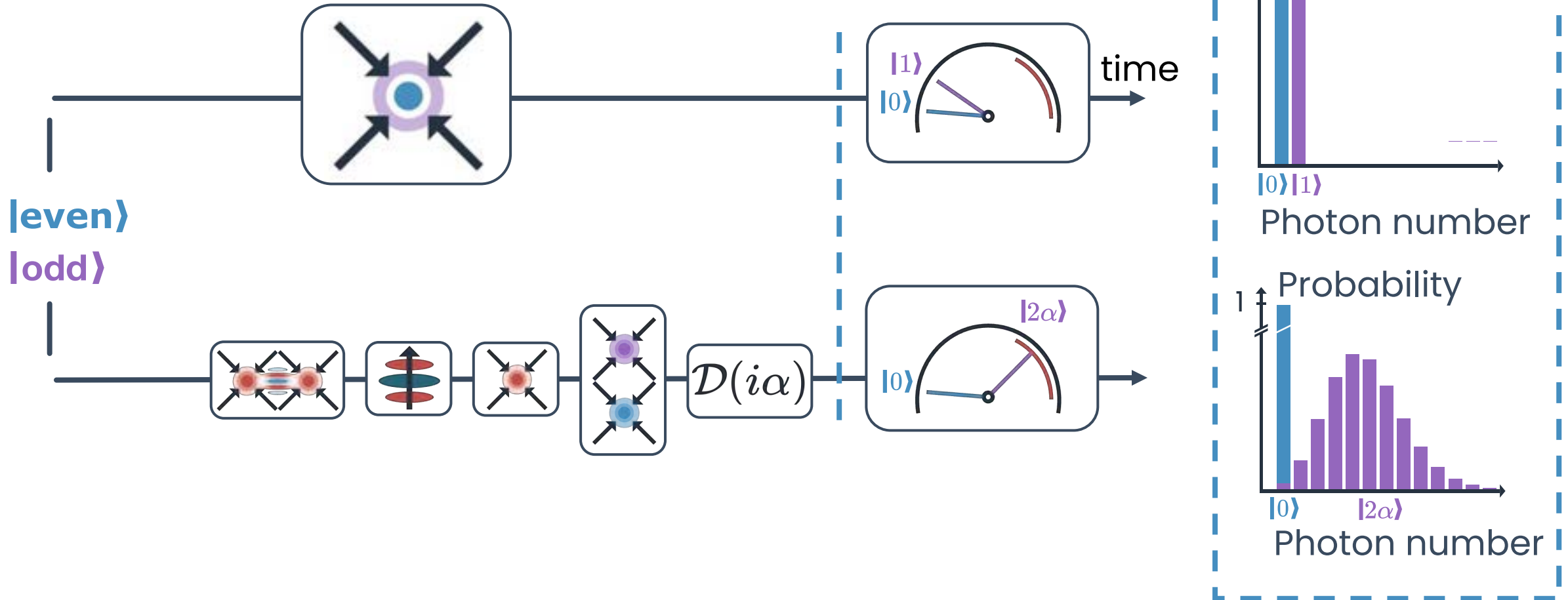
Transmon-free tomography protocols

$$W(\lambda) = \frac{2}{\pi} \langle \mathcal{D}(\lambda) \exp(i\pi a^\dagger a) \mathcal{D}(-\lambda) \rangle$$



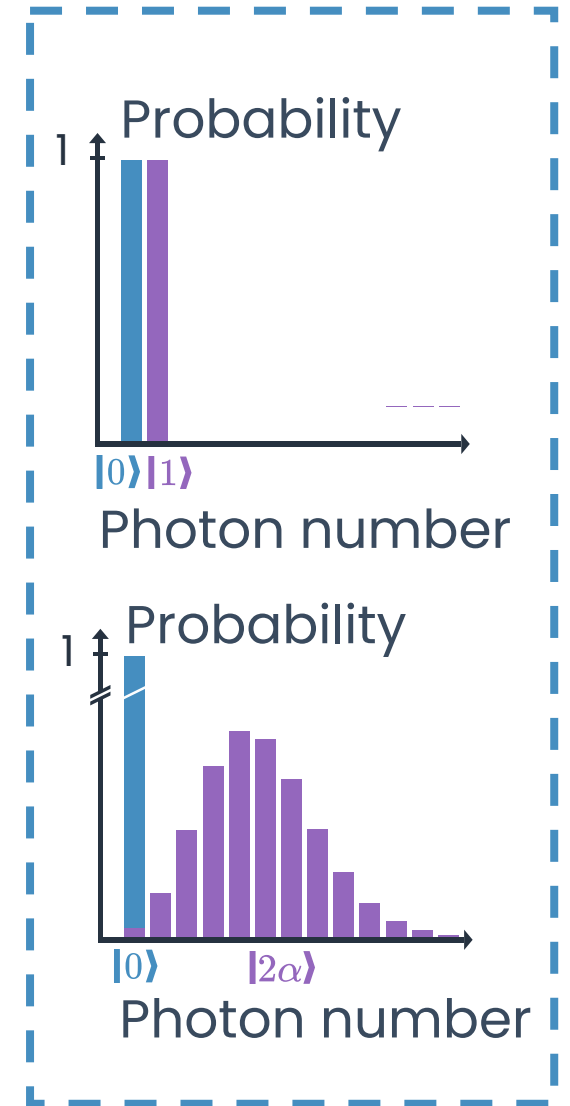
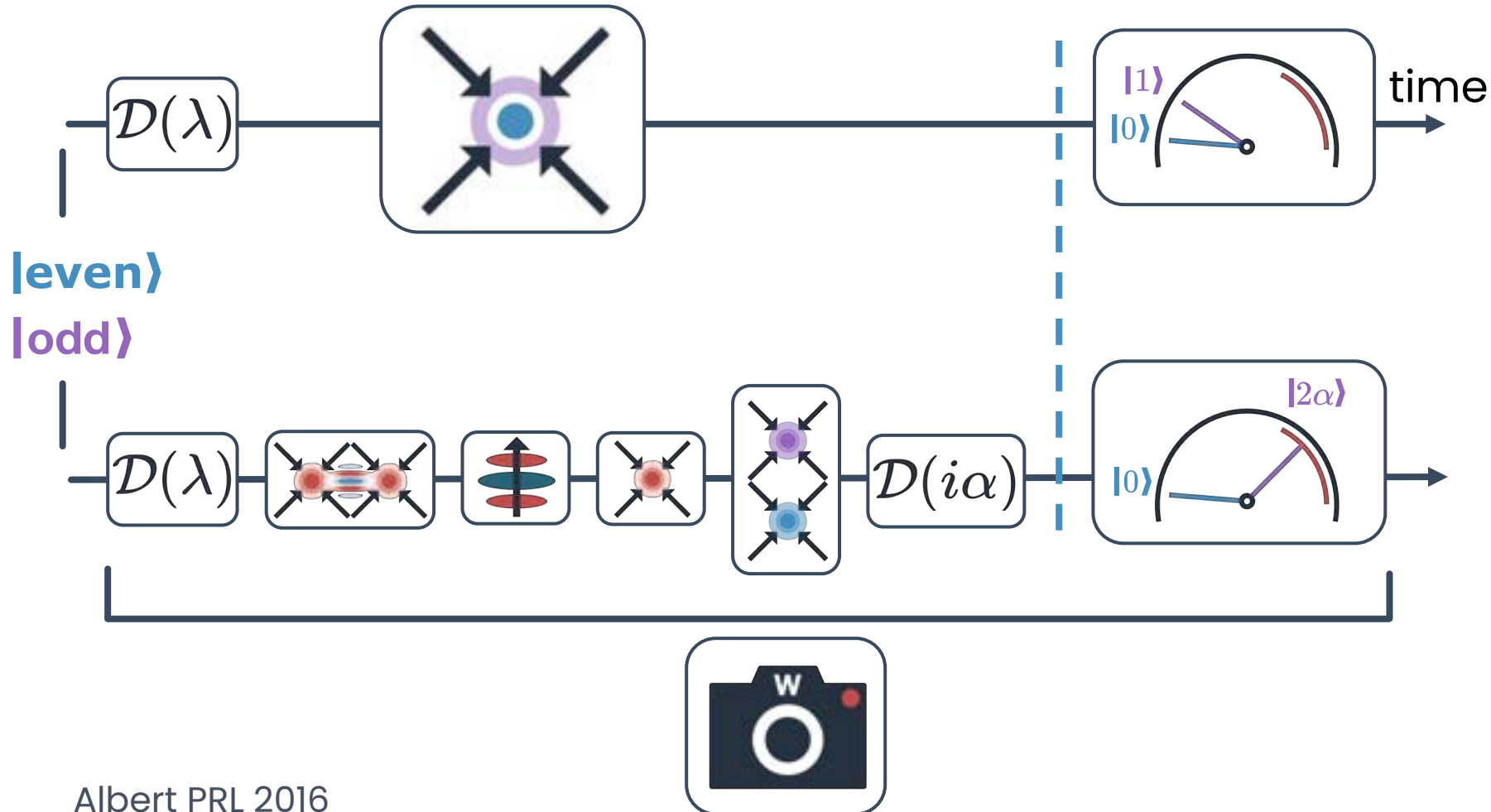
Transmon-free tomography protocols

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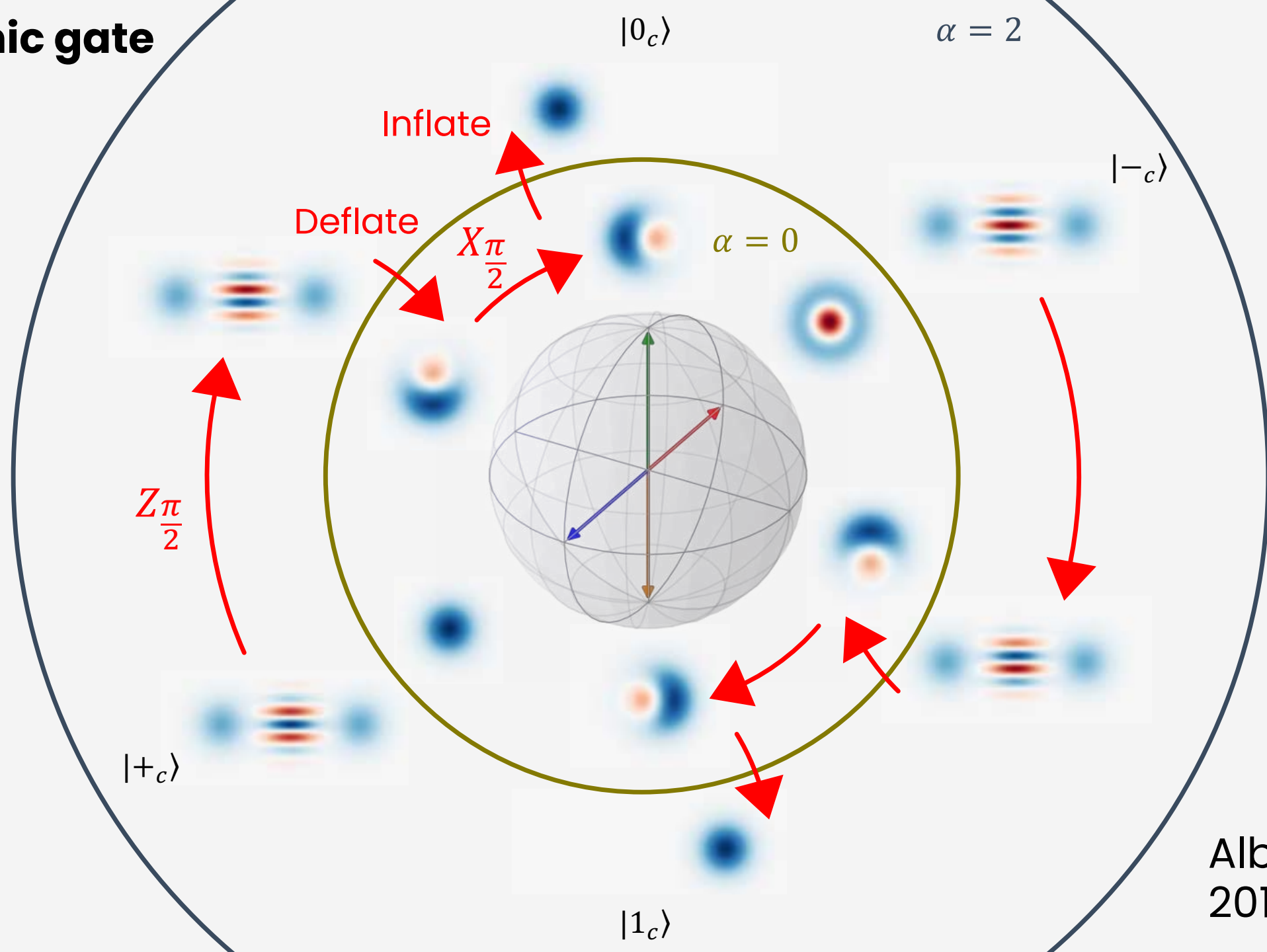


Transmon-free tomography protocols

$$W(\lambda) = \frac{2}{\pi} \langle \mathcal{D}(\lambda) \exp(i\pi a^\dagger a) \mathcal{D}(-\lambda) \rangle$$

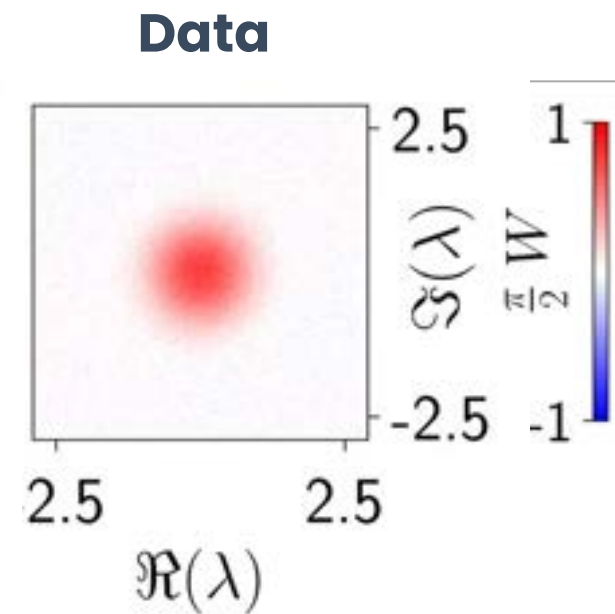


Holonomic gate

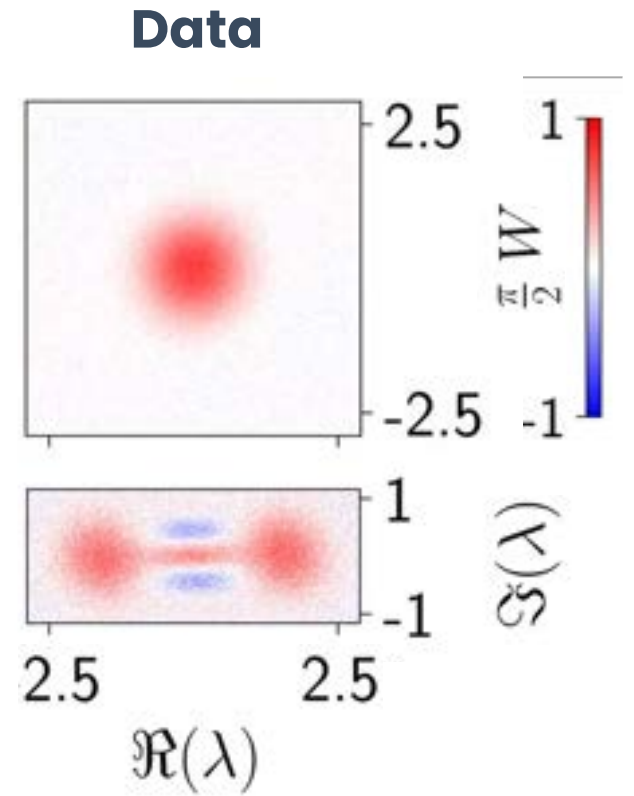
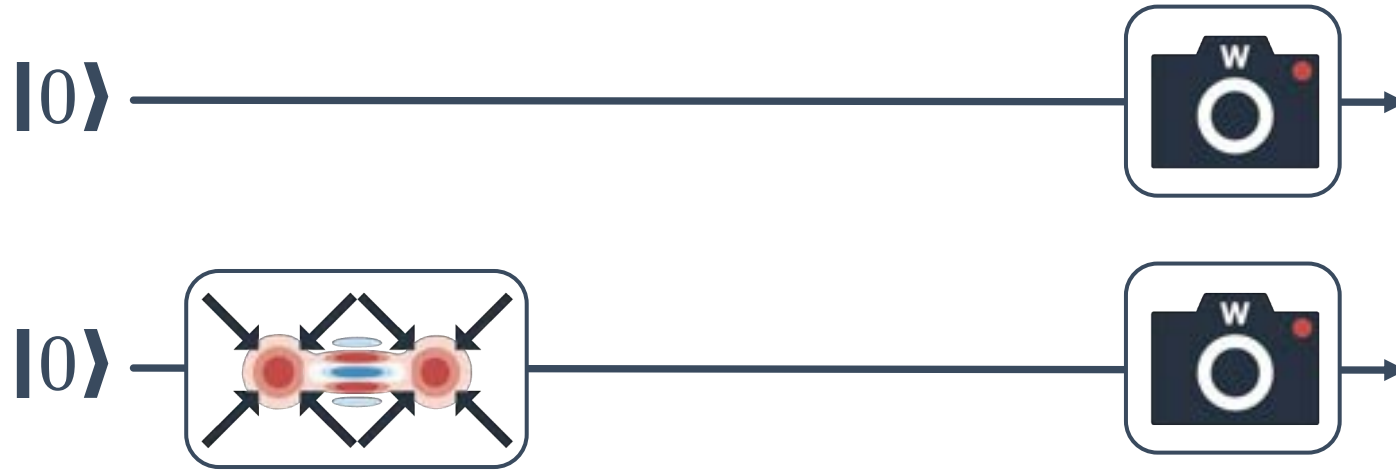


Albert PRL
2016

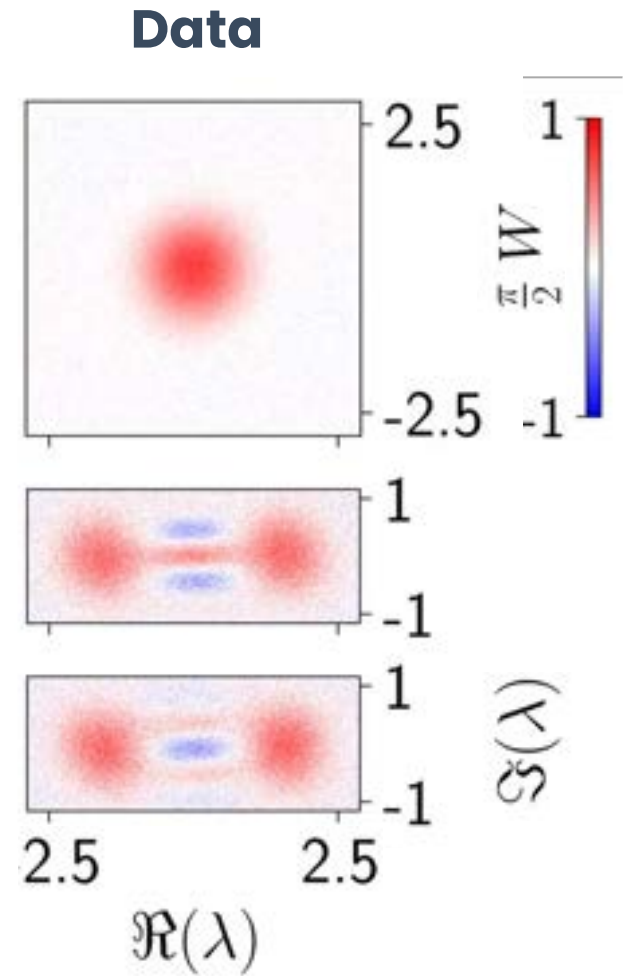
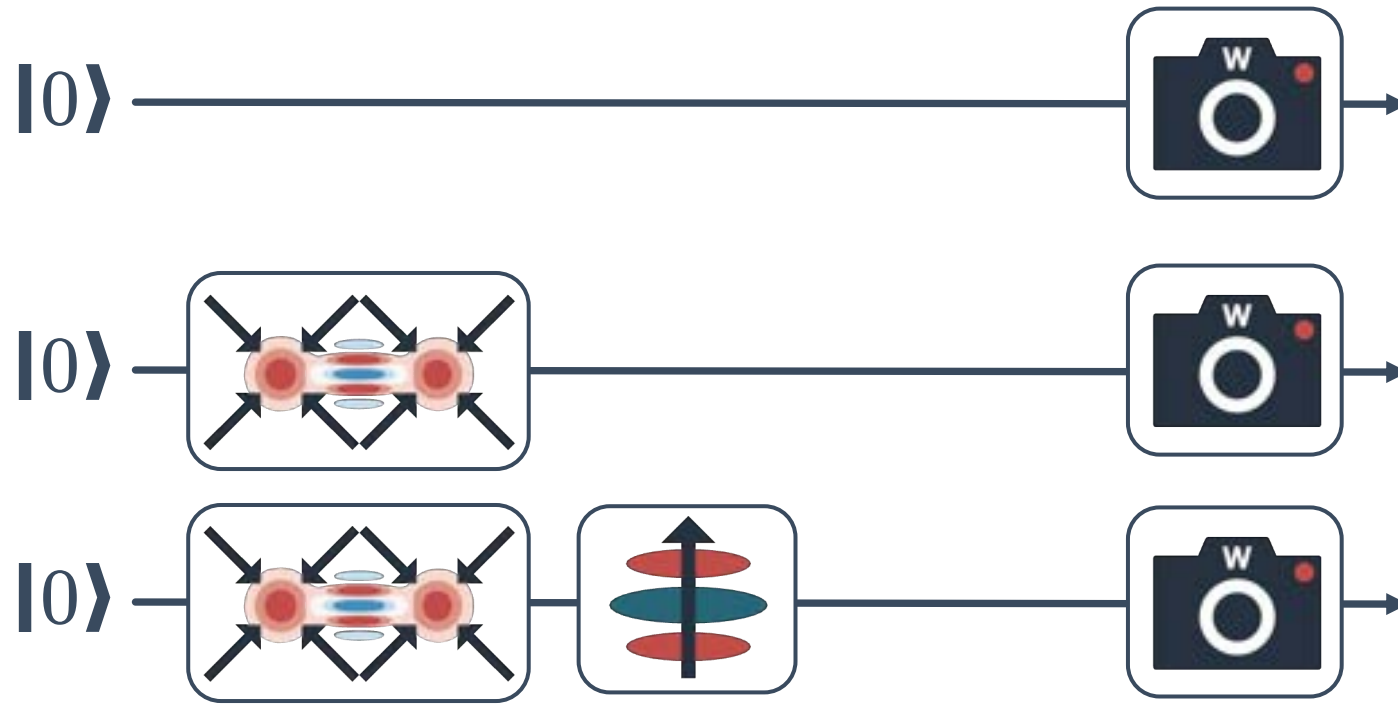
Transmon-free tomography examples



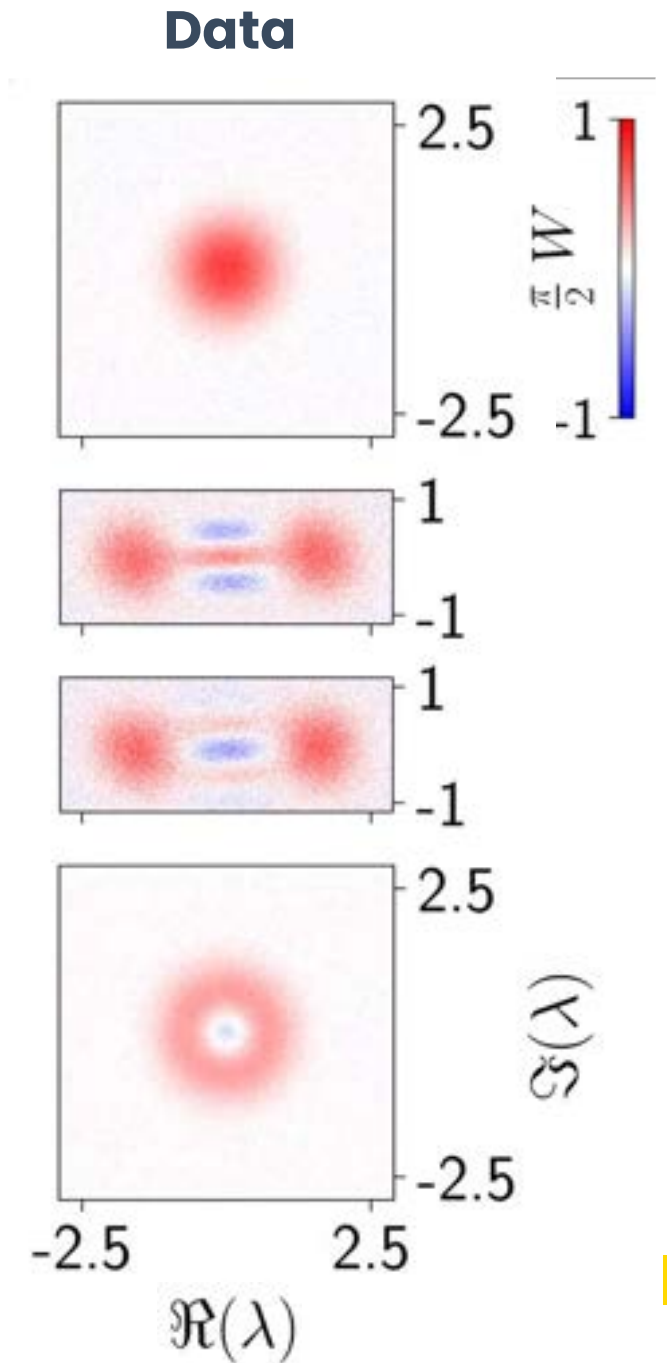
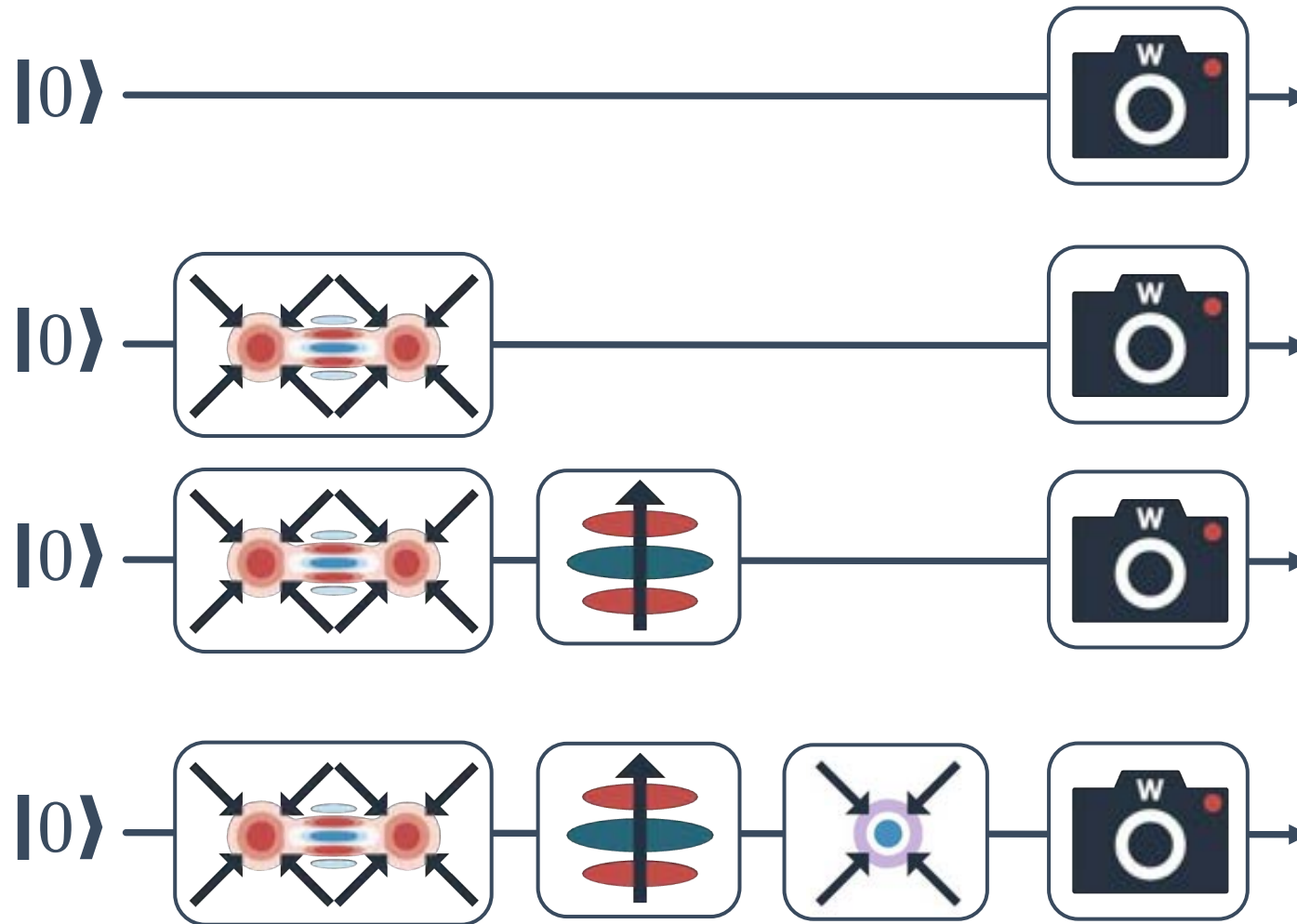
Transmon-free tomography examples



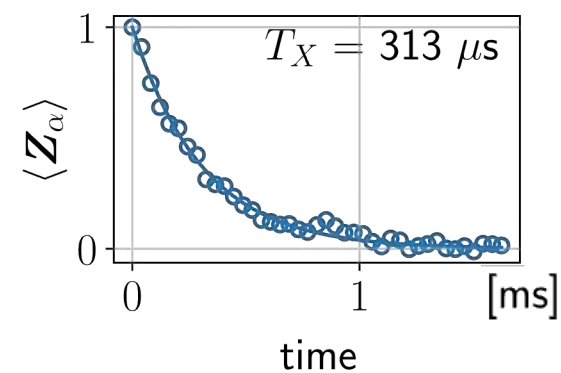
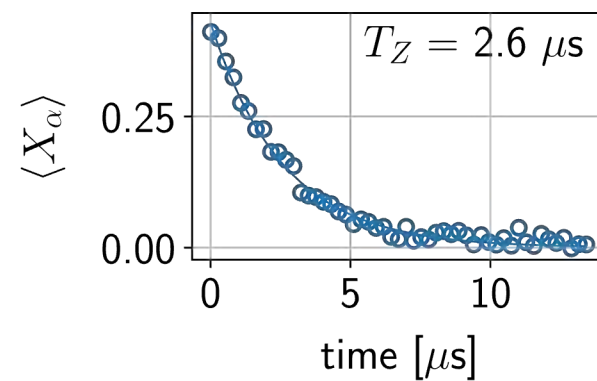
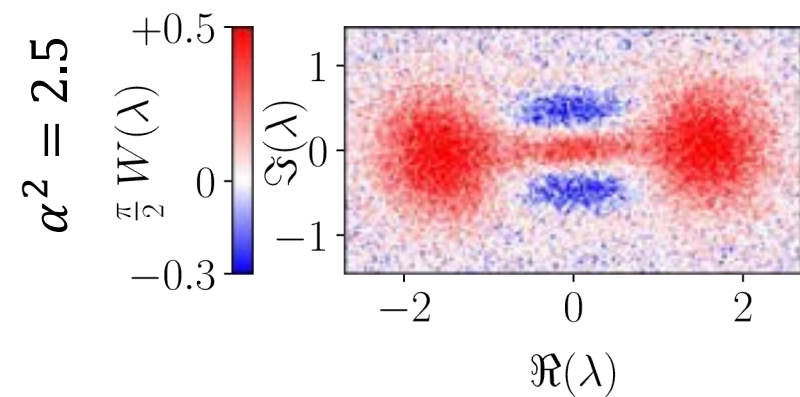
Transmon-free tomography examples



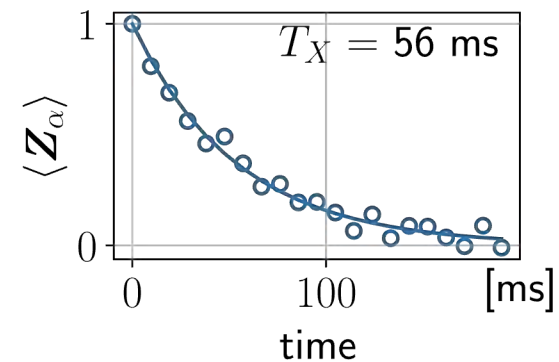
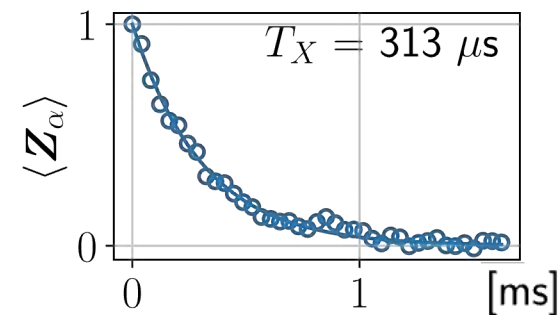
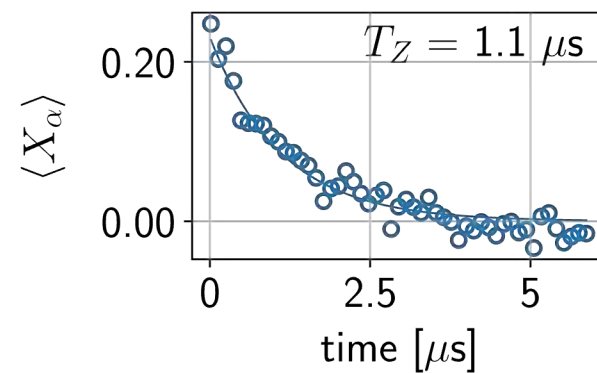
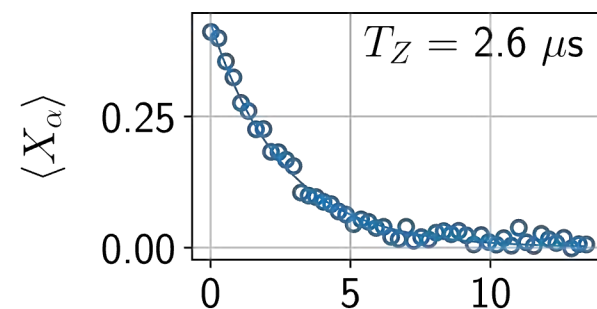
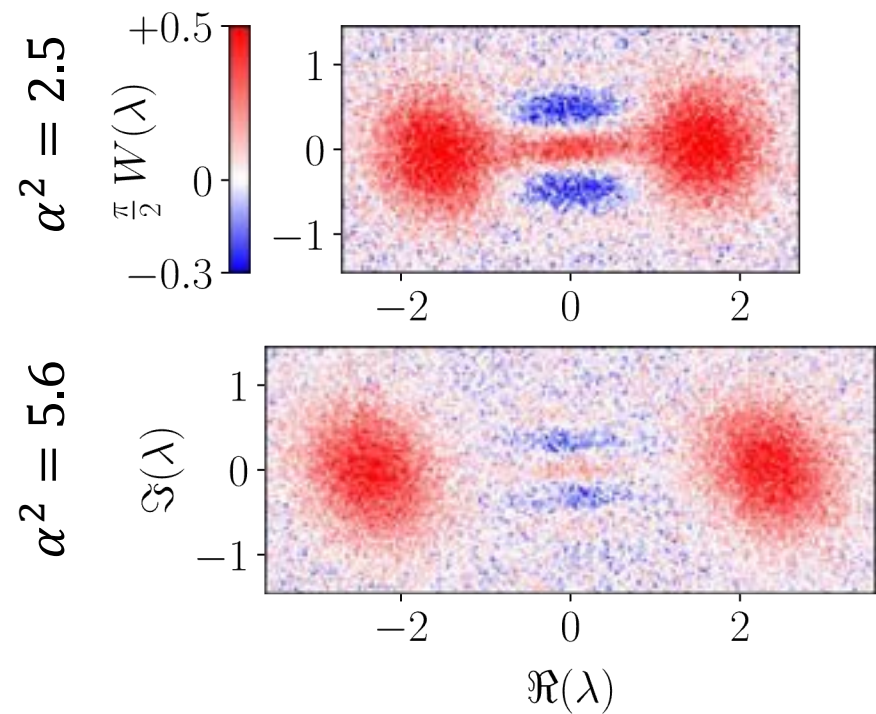
Transmon-free tomography examples



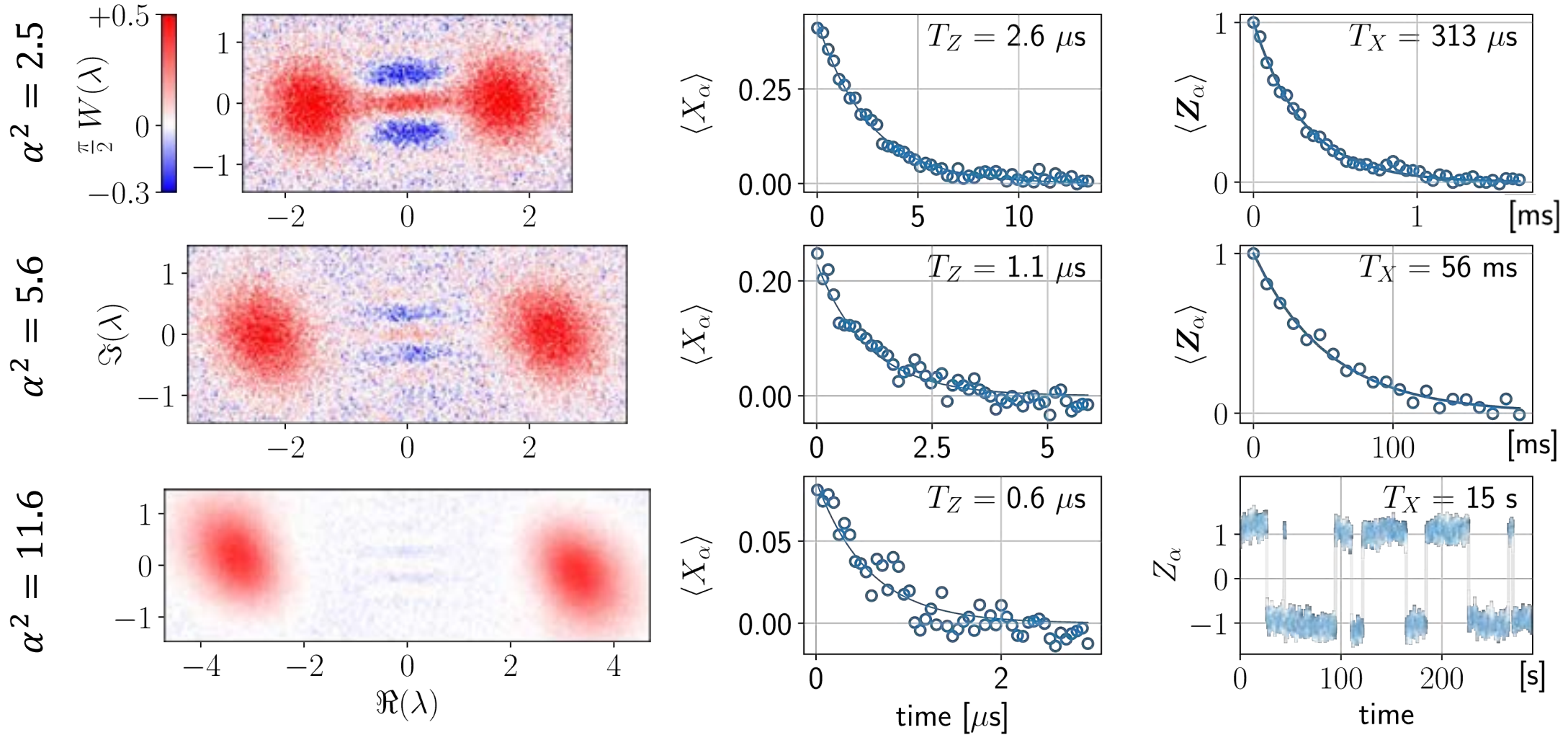
Our qubit is noise-biased



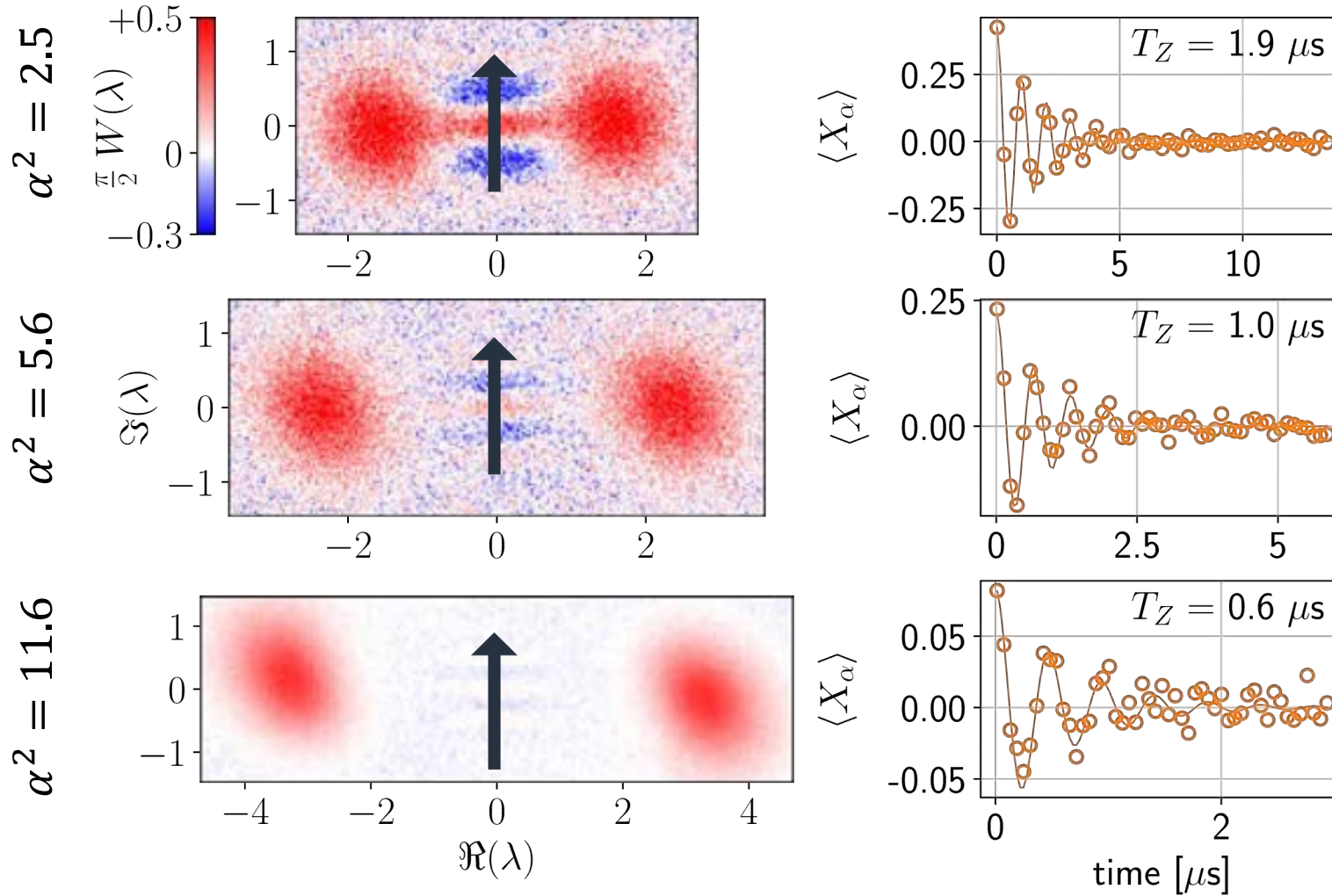
Our qubit is noise-biased



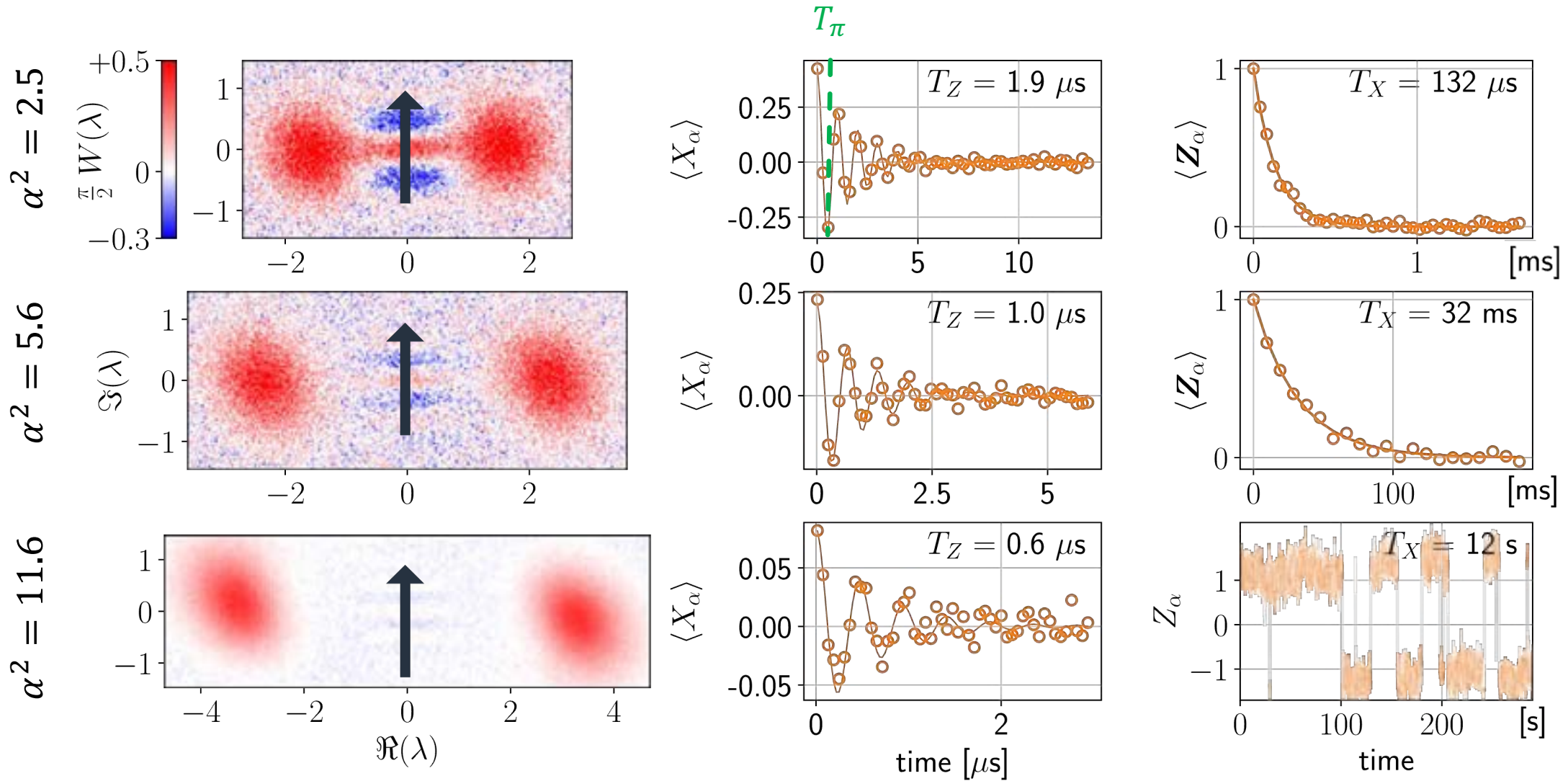
Our qubit is noise-biased



Our qubit is noise-biased under control

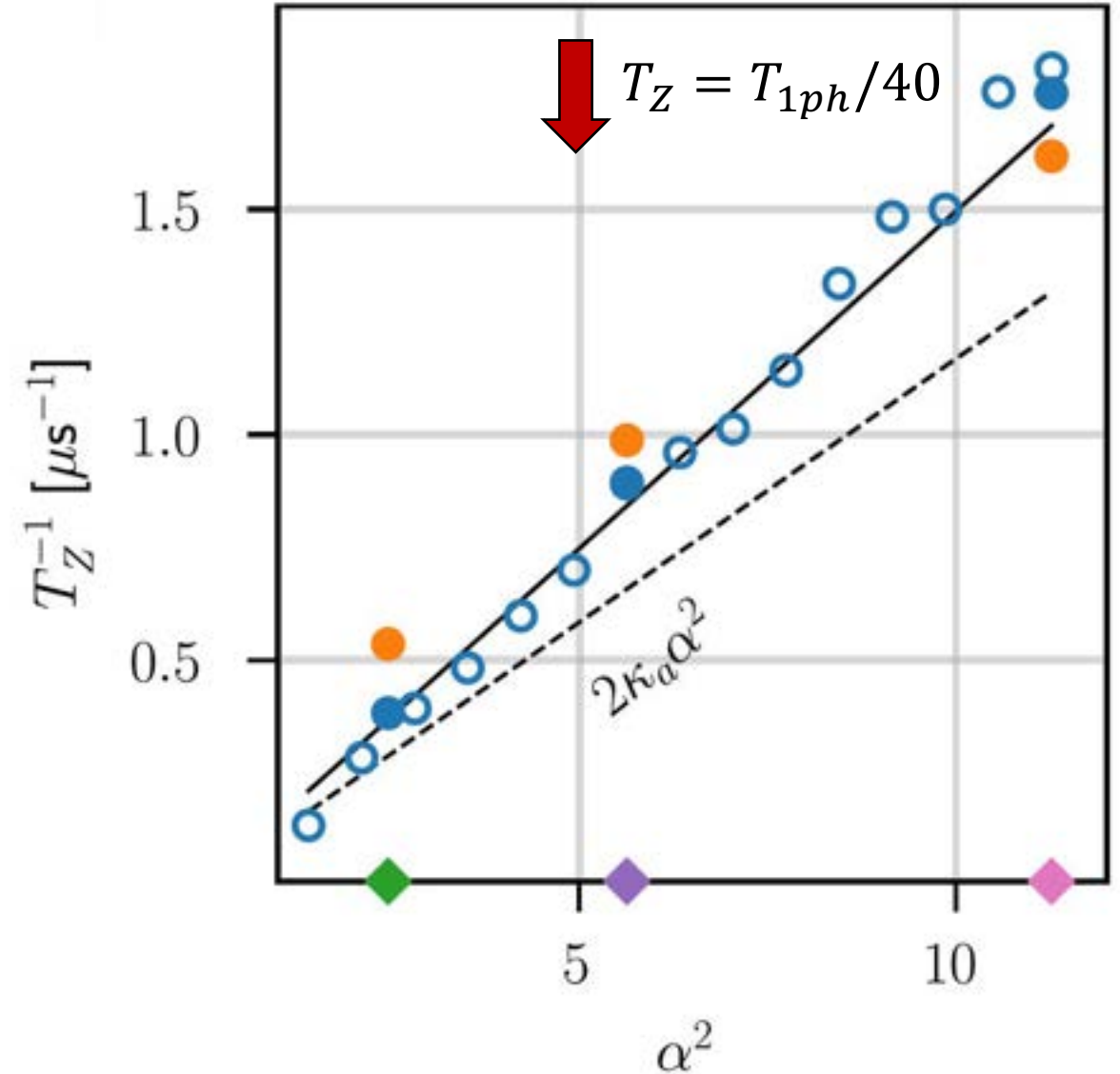
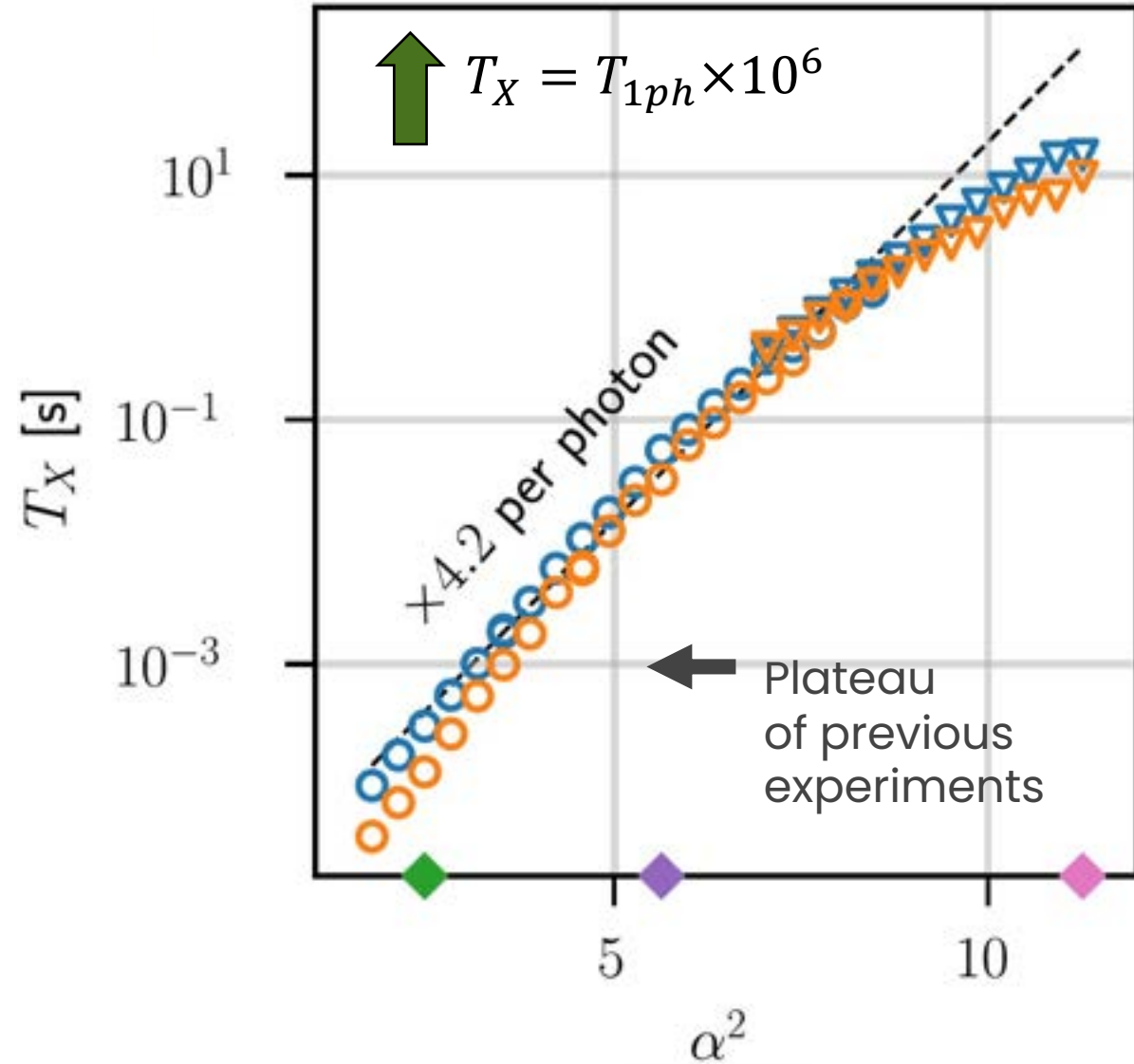


Our qubit is noise-biased under control

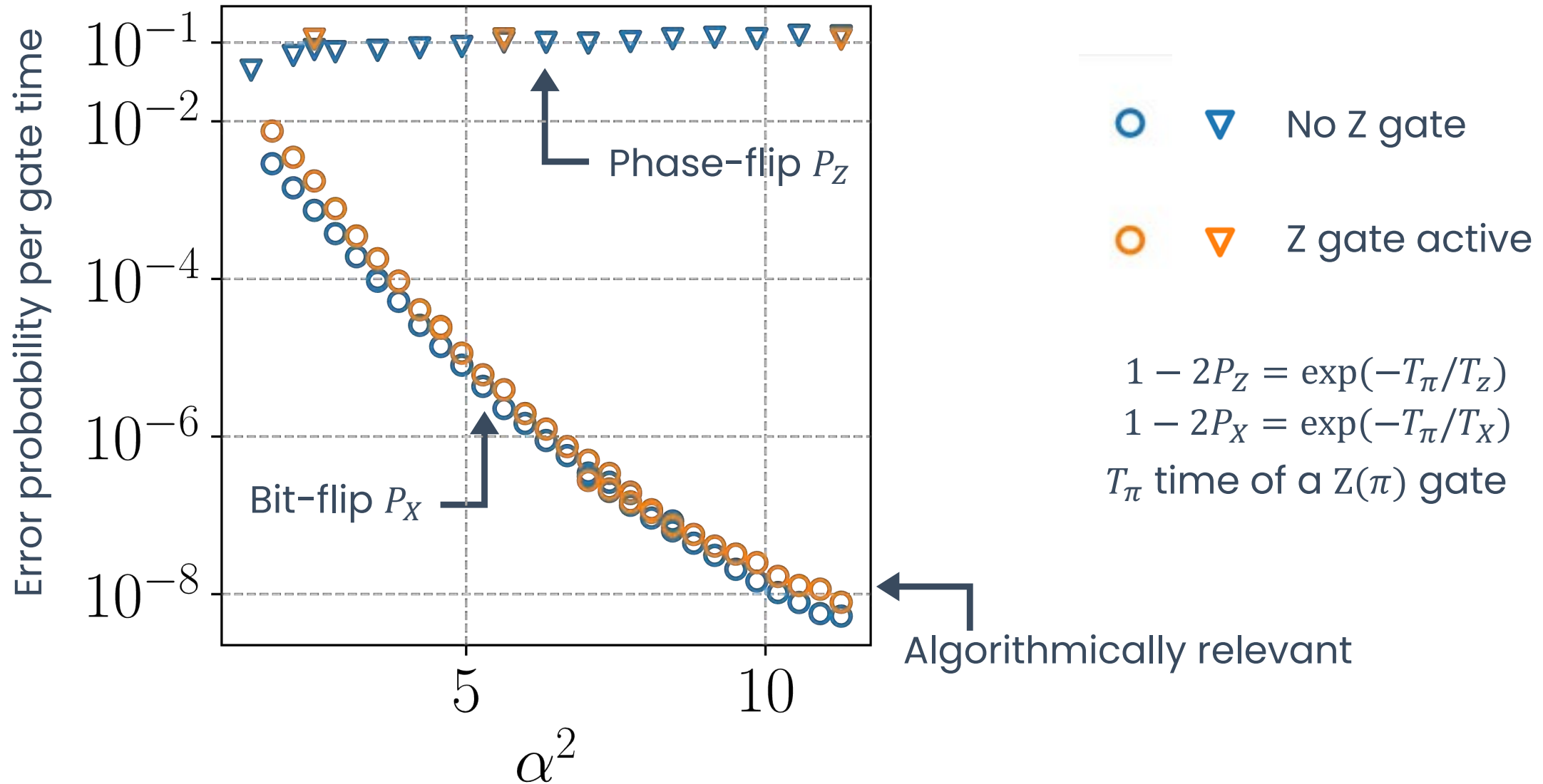


Noise bias scaling

- ▽ No Z gate
- ▽ Z gate active



Noise bias scaling

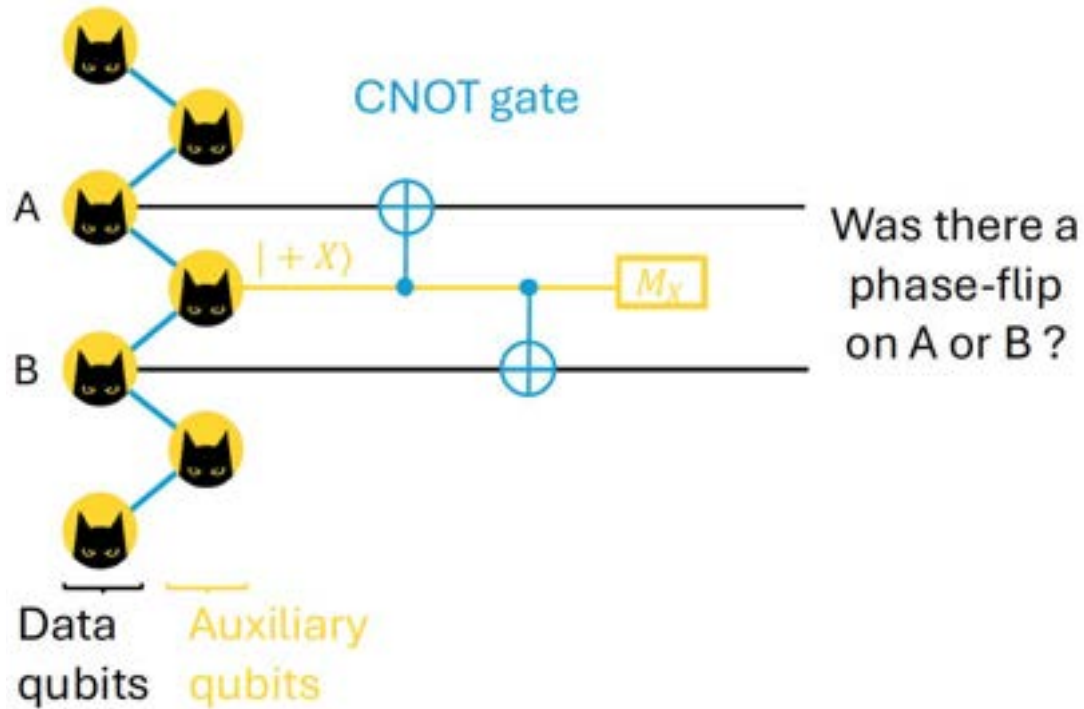


Parity measurements

Single-shot high-fidelity parity measurements



Repetition code with cat qubits



Macroscopic bit-flip times



$Z(\theta)$ gate



Measure of Z



Measure of the parity M_X

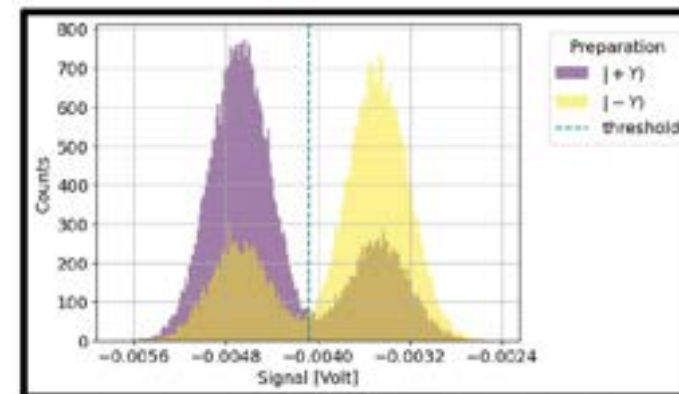
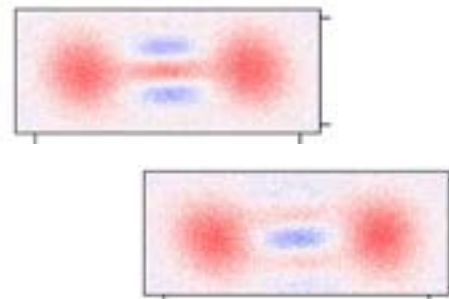
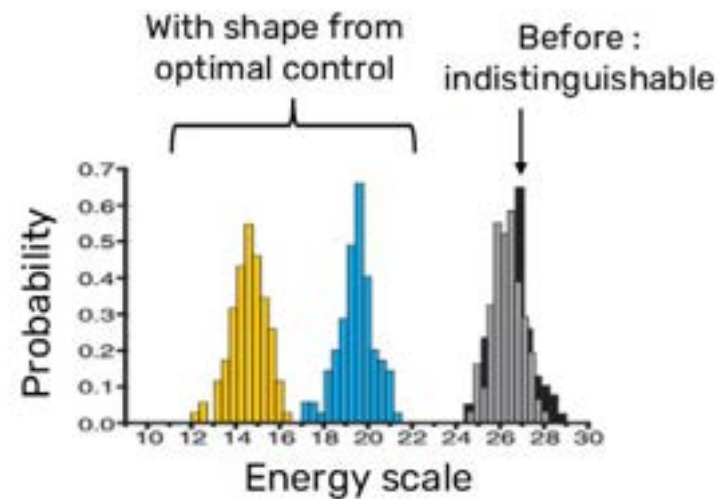
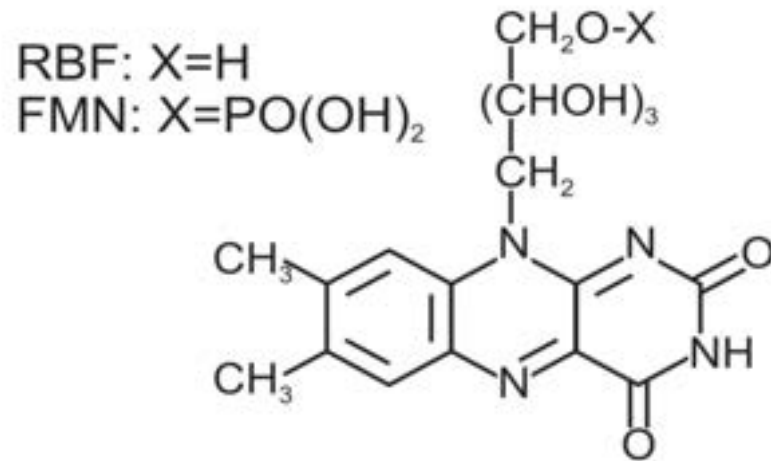
Bias-preserving CNOT



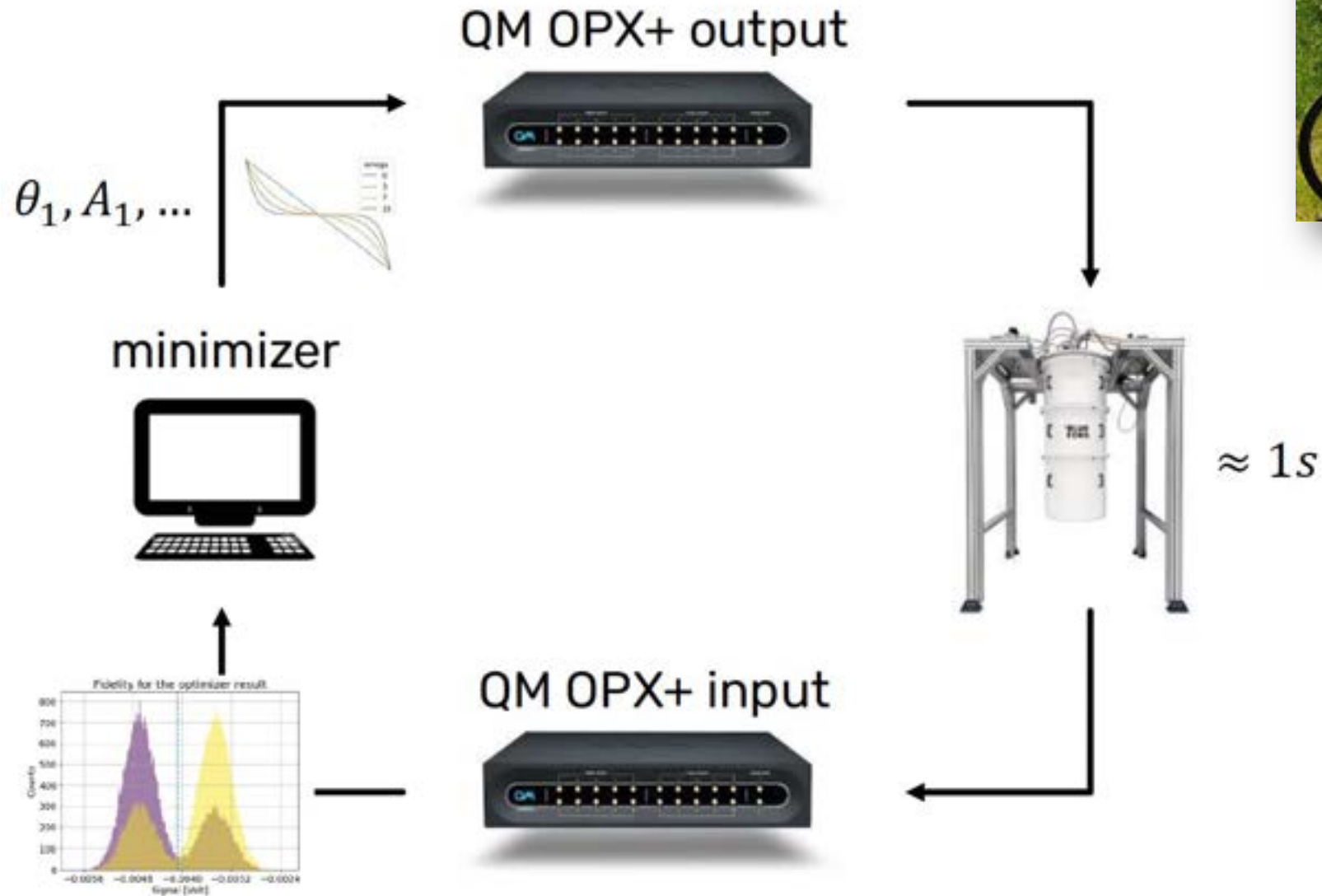
Quantum Control of Tightly Competitive Product Channels

Matthias Roth,¹ Laurent Guyon,² Jonathan Roslund,¹ Véronique Boutou,² Francois Courvoisier,^{2,3}
 Jean-Pierre Wolf,³ and Herschel Rabitz^{1,*}

¹Department of Chemistry, Princeton University, Princeton, New Jersey 08544, USA



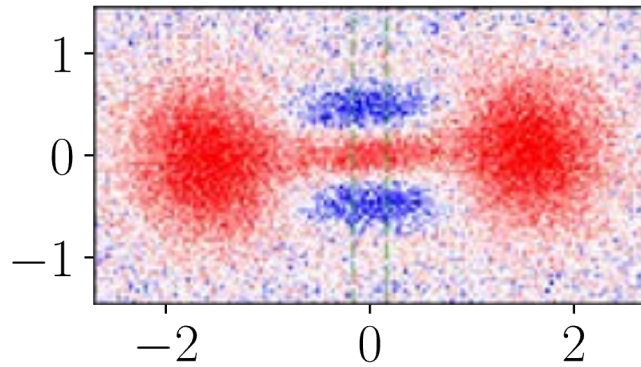
Optimal control



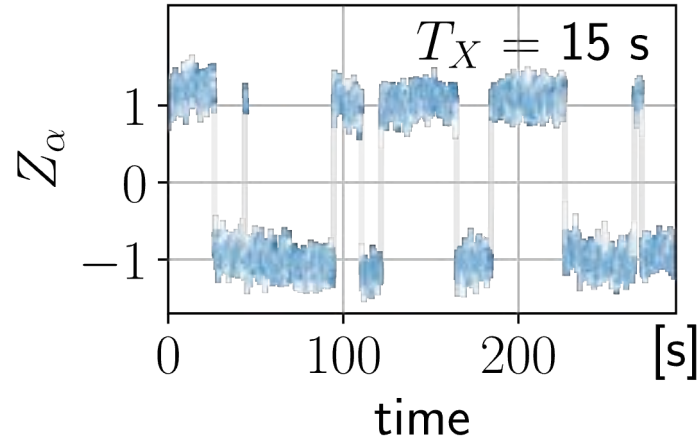
Rémi Robin

Conclusion

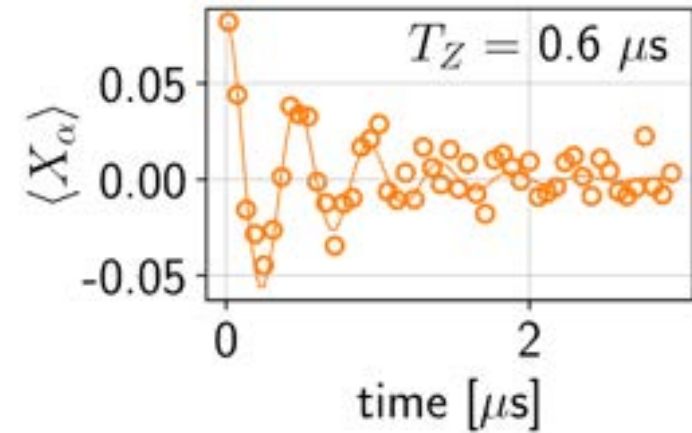
Tomography 



Macroscopic
bit-flip time 

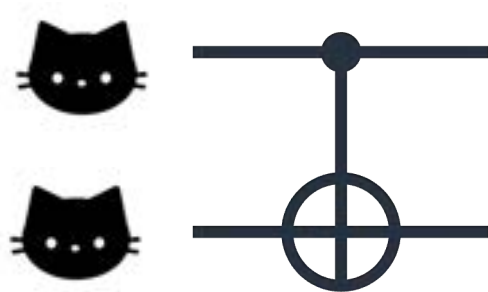


Coherent
control 

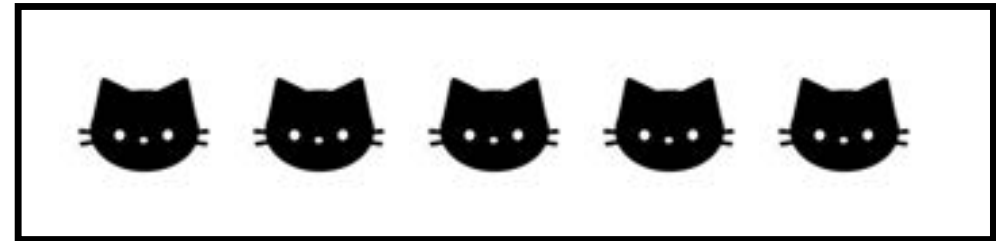


MX 

CNOT 



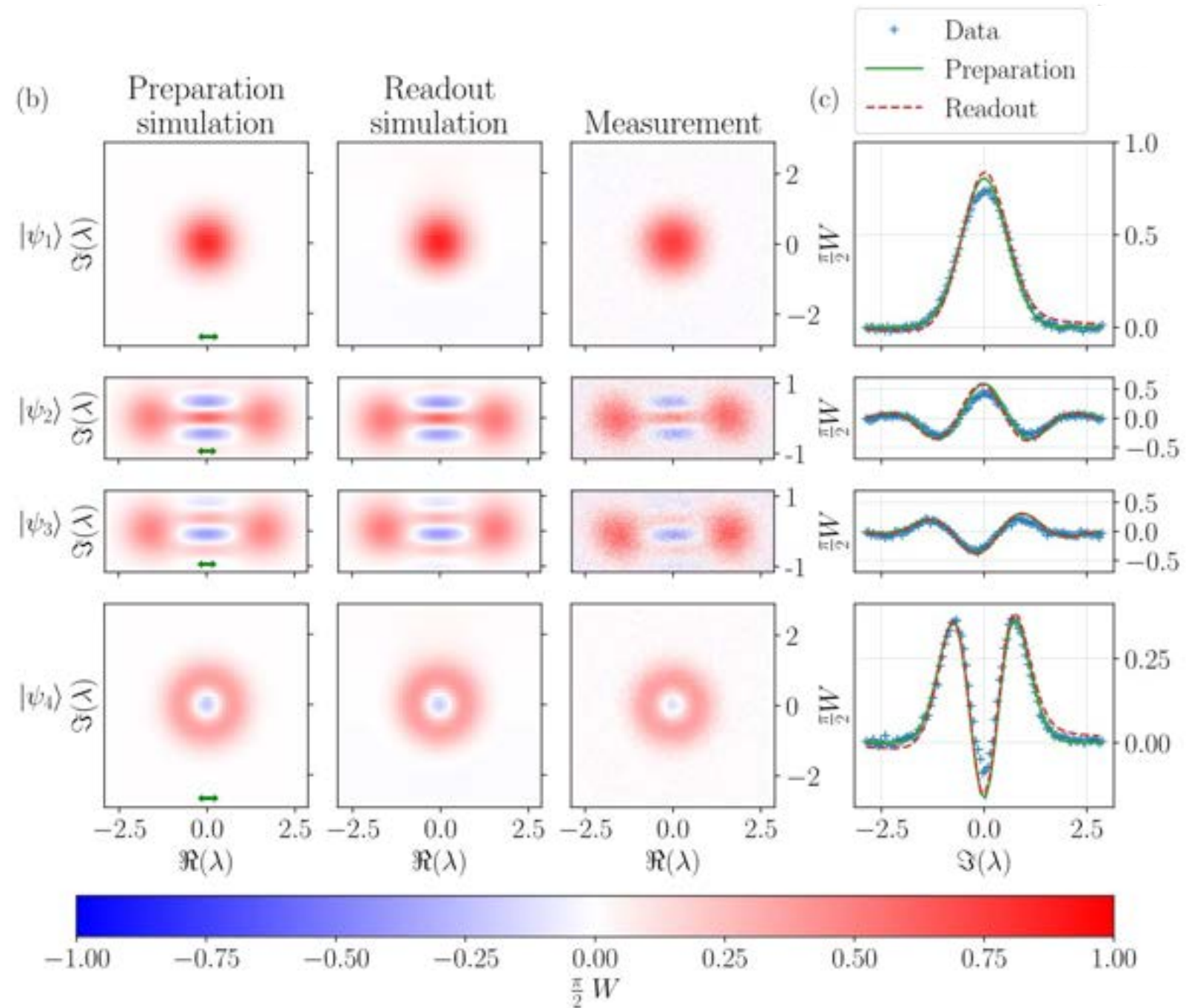
Repetition code 



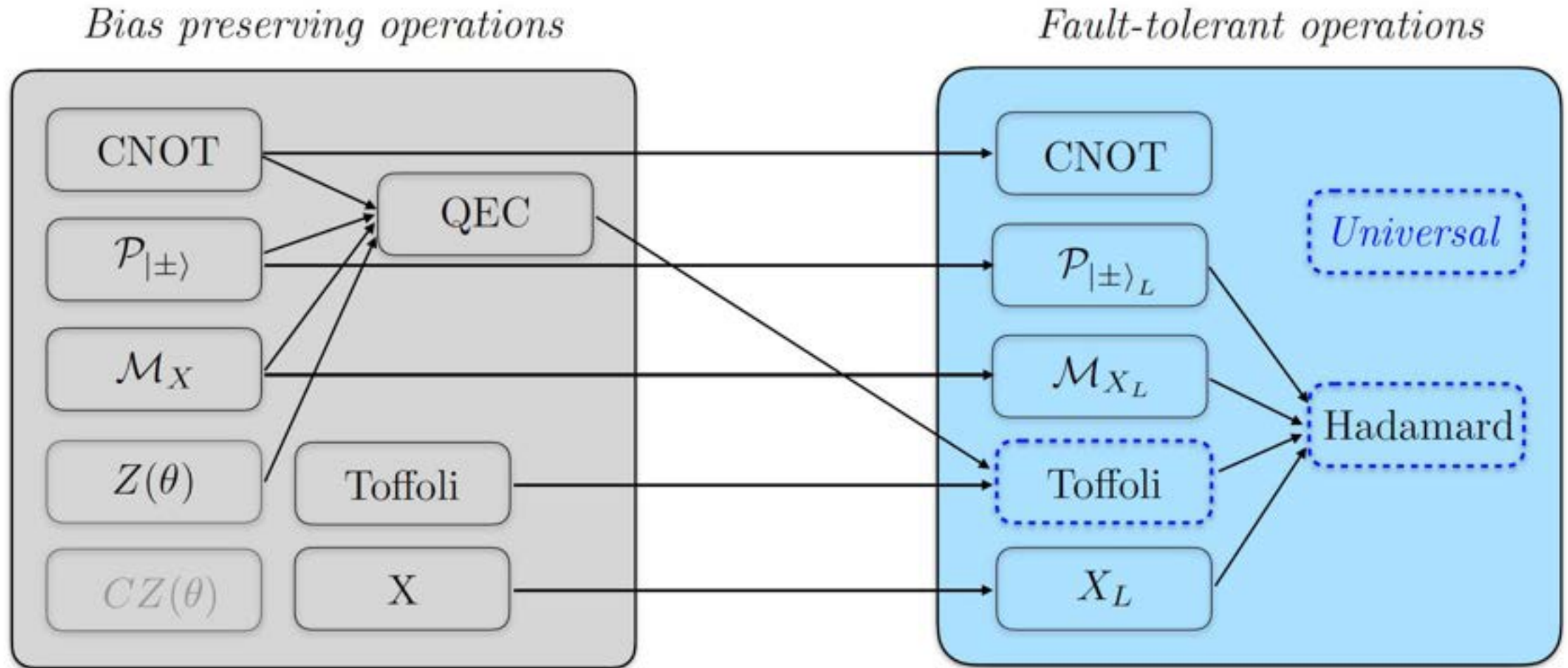
Nature 629, 778–783 (2024)
arXiv:2307.06617

Supplementary materials

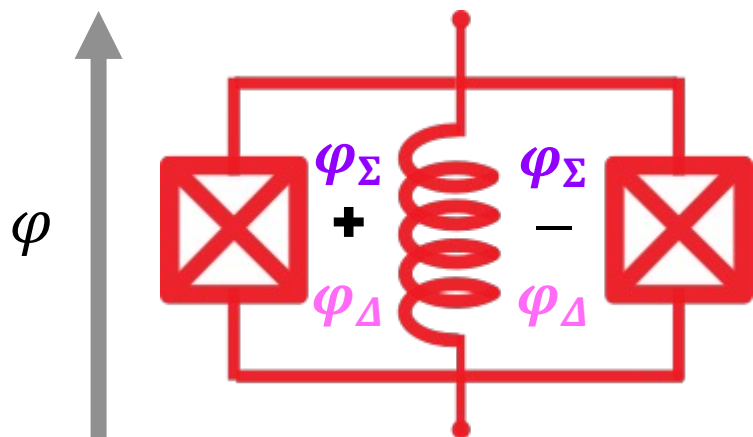
Comparison to numerical simulations



Fault-tolerant gates



ATS (Asymmetrically threaded SQUID)



$$U(\varphi) = -2E_J \cos(\varphi_\Sigma) \cos(\varphi + \varphi_\Delta) + \frac{1}{2} E_L \varphi^2$$

$$U \Big|_{\varphi_\Sigma = \frac{\pi}{2} + \epsilon_\Sigma(t), \varphi_\Delta = \frac{\pi}{2}} = -2E_J \sin(\epsilon_\Sigma(t)) \sin(\varphi) + \frac{1}{2} E_L \varphi^2$$

$$U^{NL} \Big|_{\varphi_\Sigma = \frac{\pi}{2} + \epsilon_\Sigma(t), \varphi_\Delta = \frac{\pi}{2}} \approx -2E_J \epsilon_\Sigma(t) \varphi^3 / 6$$

$$\hat{\varphi} = \varphi_a(\hat{a} + \hat{a}^\dagger) + \varphi_b(\hat{b} + \hat{b}^\dagger)$$

$$\epsilon_\Sigma(t) = \epsilon_\Sigma \cos(\omega_p t)$$

$$\omega_p = 2\omega_a - \omega_b$$

$$\omega_p = \omega_b$$

$$\bar{U}_{NL} \propto \hat{a}^2 \hat{b}^\dagger + \hat{a}^{\dagger 2} \hat{b}$$

$$\bar{U}_{NL} \propto \hat{a}^\dagger \hat{a} (\hat{b} + \hat{b}^\dagger)$$

Chip specs

$\omega_{b,0}/2\pi$	7.70 GHz
φ_b	0.29
$\omega_{a,0}/2\pi$	5.26 GHz
φ_a	0.06
E_L/h	42.76 GHz
E_J/h	12.03 GHz
$\Delta E_J/h$	0.47 GHz

$g_2/2\pi$	0.763 MHz
$\kappa_b/2\pi$	2.6 MHz
$\kappa_a/2\pi$	9.3 kHz
n_a^{th}	10%
n_b^{th}	1.1%

